Name_

MULTIPLE CHOICE. Choose the one alternative that best completes the statement or answers the question.

Find the relative extrema of the function, if they exist.

1)
$$f(x) = x^2 - 8x + 18$$

- A) Relative minimum at (4, 2)
- C) Relative minimum at (2, 4)

B) Relative maximum at (4, 2)

D) Relative maximum at (2, 4)

Answer: A

2)
$$f(x) = 2x^2 + 20x + 53$$

- A) Relative minimum at (-5, 3)
- C) Relative maximum at (5, -3)

- B) Relative minimum at (-3, 5)
- D) Relative minimum at (3, -5)

Answer: A

3)
$$s(x) = -x^2 - 12x - 27$$

- A) Relative minimum at (12, -27)
- C) Relative maximum at (-6, 9)

B) Relative maximum at (6, 9)

D) Relative maximum at (-12, -27)

Answer: C

4)
$$f(x) = -7x^2 - 2x - 2$$

- A) Relative maximum at $\left(\frac{1}{7}, \frac{13}{7}\right)$ C) Relative maximum at $\left(-\frac{1}{7}, -\frac{13}{7}\right)$

B) Relative minimum at $\left(\frac{1}{7}, \frac{13}{7}\right)$

D) Relative maximum at $\left[-7, -\frac{13}{7}\right]$

Answer: C

5)
$$f(x) = 0.4x^2 - 2.9x + 5.8$$

- A) Relative minimum at (-3.625, 21.56875)
- C) Relative maximum at (3.625, 0.54375)
- B) Relative minimum at (3.625, 0.54375)
- D) Relative minimum at (3.625, 0)

Answer: B

6)
$$f(x) = x^3 - 3x^2 + 1$$

- A) Relative minimum at (0, 1); relative maximum at (2, -3)
- B) Relative maximum at (2, -3)
- C) Relative maximum at (-2, -19); relative maximum at (0, 1)
- D) Relative maximum at (0, 1); relative minimum at (2, -3)

Answer: D

7)
$$y = x^3 - 3x^2 + 7x - 10$$

- A) Relative maximum at (2, 6)
- C) Relative maximum at (-1, 6)

- B) Relative minimum at (1, 6)
- D) No relative extrema exist

8)
$$f(x) = x^3 - 12x + 4$$

- A) Relative minimum at (-2, 20); relative maximum at (2, -12)
- B) Relative maximum at (5, 69); relative minimum at (-3, 13)
- C) Relative maximum at (5, 69); relative minimum at (2, -12)
- D) Relative maximum at (-2, 20); relative minimum at (2, -12)

Answer: D

9)
$$f(x) = -4x^3 + 4$$

A) Relative maximum at (0, -4)

B) Relative minimum at (0, 4)

C) Relative maximum at (0, 4)

D) No relative extrema exist

Answer: D

10)
$$f(x) = \frac{2}{3}x^3 + \frac{1}{2}x^2 - 21x + 2$$

- A) Relative maximum at $\left(-\frac{7}{2}, \frac{1273}{24}\right)$; relative minimum at $\left(3, -\frac{77}{2}\right)$
- B) Relative maximum at $\left[3, -\frac{77}{2}\right]$
- C) Relative maximum at $\left(-3, \frac{103}{2}\right)$; relative minimum at $\left(\frac{7}{2}, -\frac{883}{24}\right)$ D) Relative maximum at $\left(-\frac{7}{2}, \frac{1273}{24}\right)$; relative minimum at $\left(\frac{7}{2}, -\frac{883}{24}\right)$

Answer: A

11)
$$f(x) = 3x^4 + 16x^3 + 24x^2 + 32$$

- A) Relative minimum at (0, 32)
- B) Relative maximum at (-2, 48), relative minimum at (0, 32)
- C) Relative minimum at (-2, 48)
- D) Relative minimum at (-2, 48), relative maximum at (0, 32)

Answer: A

12)
$$f(x) = x^4 - 8x^2 + 6$$

- A) Relative maximum at (0, 6); relative minimum at (2, -10)
- B) Relative maximum at (2, -10); relative minimum at (-2, -10)
- C) Relative minimum at (0, 6); relative maxima at (2, -10), (-2, -22)
- D) Relative maximum at (0, 6); relative minima at (2, -10), (-2, -10)

Answer: D

13)
$$f(x) = x^3 - 5x^4$$

- A) Relative maximum at $\left(\frac{3}{20}, \frac{27}{32000}\right)$; relative minimum at (0, 0)B) Relative minimum at $\left(-\frac{3}{20}, -\frac{27}{6400}\right)$; relative maximum at (0, 0)
- C) Relative maximum at (0,0); relative minima at $\left(-\frac{3}{20}, -\frac{27}{6400}\right)$ and $\left(\frac{3}{20}, \frac{27}{32000}\right)$
- D) Relative maximum at $\left(\frac{3}{20}, \frac{27}{32000}\right)$

14)
$$f(x) = \frac{x^2 + 1}{x^2}$$

- A) No relative extrema exist
- B) Relative minimum at (0, 1)
- C) Relative maximum at (0, 1)
- D) Relative maximum at (-1, 2); relative minimum at (1, 2)

Answer: A

15)
$$f(x) = \frac{4}{x^2 - 1}$$

A) Relative minimum at (0, -4)

B) Relative maximum at (0, -4)

C) Relative maximum at (0, 4)

D) No relative extrema exist

Answer: B

16)
$$f(x) = \frac{-6}{x^2 + 1}$$

A) Relative maximum at (0, -6)

B) No relative extrema exist

C) Relative minimum at (0, -6)

D) Relative maximum at (0, 6)

Answer: C

17)
$$f(x) = \frac{6x}{x^2 + 1}$$

- A) Relative minimum at (-1, -3); relative maximum at (0, 0)
- B) Relative maximum at (0, 0)
- C) Relative maximum at (-1, -3); relative minimum at (1, 3)
- D) Relative minimum at (-1, -3); relative maximum at (1, 3)

Answer: D

18)
$$f(x) = \frac{x+1}{x^2+3x+3}$$

- A) No relative extrema exist
- B) Relative minimum at $\left(0, \frac{1}{3}\right)$; relative maximum at $\left(-2, \frac{1}{3}\right)$
- C) Relative maximum at (0, 3); relative minimum at $\left(-2, \frac{1}{3}\right)$
- D) Relative maximum at $\left(0, \frac{1}{3}\right)$; relative minimum at $\left(-2, -1\right)$

Answer: D

19)
$$f(x) = x^{2/5} - 1$$

- A) No relative extrema exist
- B) Relative minimum at (0, -1); relative maximum at (1, 0)
- C) Relative maximum at (0, -1)
- D) Relative minimum at (0, -1)

20) $f(x) = (x + 5)^{1/3}$

- A) Relative minimum at (-5, 0)
- C) Relative maximum at (-5, 0)

A) Relative minimum at (-5, 0)

Answer: B

B) No relative extrema exist

D) Relative minimum at (5, 0)

21) $f(x) = \sqrt[3]{x+1}$

- A) Relative maximum at (-1, 0)
- C) Relative minimum at (1, 0)

Answer: D

B) Relative minimum at (-1, 0)

D) No relative extrema exist

22) $f(x) = (x + 2)^{2/3} + 6$

- A) No relative extrema exist
- C) Relative minimum at (-2, 6)

B) Relative maximum at (-2, 6)

D) Relative minimum at (2, 6)

Answer: C

23) $f(x) = \frac{8}{\sqrt{1 - 6x^2}}$

A) Relative minimum at (0, 8)

C) No relative extrema exist

B) Relative maximum at (0, 8)

D) Relative minimum at (2, 8)

Answer: A

24)
$$f(x) = \sqrt{x^2 + 2x + 2}$$

- A) Relative minimum at (-1, 1)
- B) No relative extrema exist
- C) Relative maximum at (-1, 1)
- D) Relative minimum at (-1, 1); relative maximum at (1, -1)

Answer: A

23)

24)

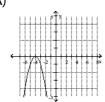
20)

21)

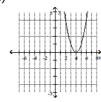
25)
$$f(x) = x^2 - 8x + 16$$



A)

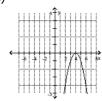


B)

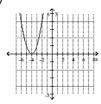


25)

C'



D)



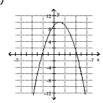
Answer: B

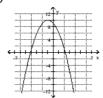
26)
$$f(x) = 9 + 2x - x^2$$

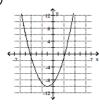


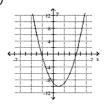
26)

A)



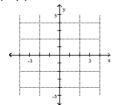


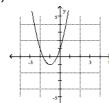




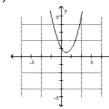
Answer: A

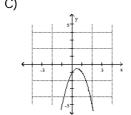
27)
$$f(x) = 2x^2 + 4x + 1$$

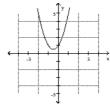




B)

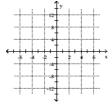


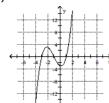




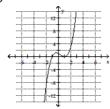
Answer: A

28) $f(x) = x^3 + 3x^2 - x - 3$

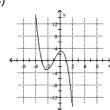




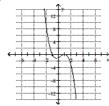
B)



C)

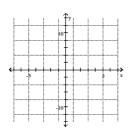


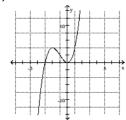
D)



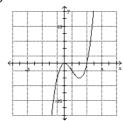
Answer: A

29)
$$f(x) = x^3 - 3x^2$$

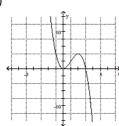




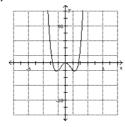
B)



C)

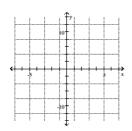


D)

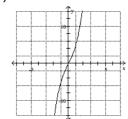


Answer: B

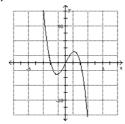
30)
$$f(x) = x^3 + 4x$$



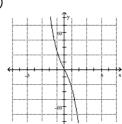
A)



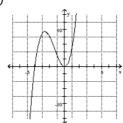
B)



C)

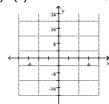


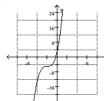
D)



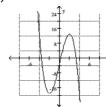
Answer: A

31)
$$f(x) = x^3 - 12x + 3$$

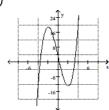




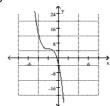
B)



C)

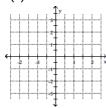


D)

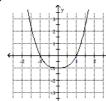


Answer: C

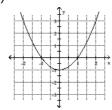
32) $f(x) = x^3 - 1$



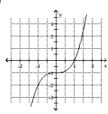
32) ____



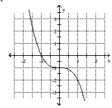
B)



C)

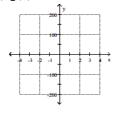


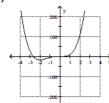
D)



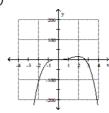
Answer: C

33) $g(x) = 3x^4 - 8x^3$

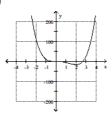




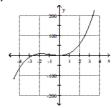
B)



C)

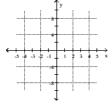


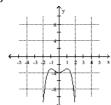
D)



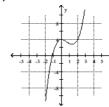
Answer: C

34) $h(x) = x^4 - 2x^2 + 4$

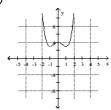




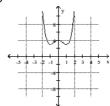
B)



C)

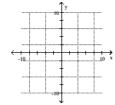


D)

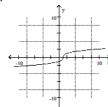


Answer: D

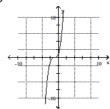
35)
$$f(x) = \sqrt[3]{x-1}$$



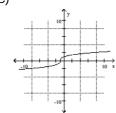




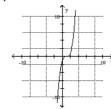
B)



C



D)



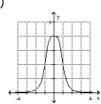
Answer: A

36)
$$f(x) = \frac{4}{x^2 + 1}$$



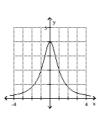


A)

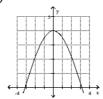


B)



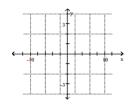


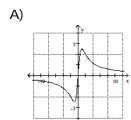
D)

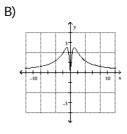


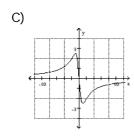
Answer: C

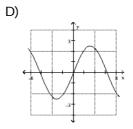
37)
$$f(x) = \frac{5x}{x^2 + 1}$$











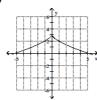
Answer: A

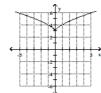
38)
$$f(x) = x^{2/3} + 3$$

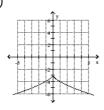


38)

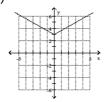
A)





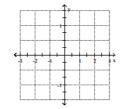


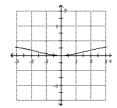
D)



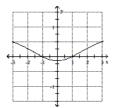
Answer: B

39)
$$f(x) = \frac{x^2}{x^2 + 7}$$

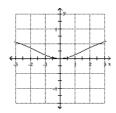




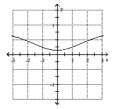
B)



C)



D)



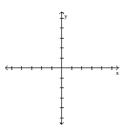
Answer: C

SHORT ANSWER. Write the word or phrase that best completes each statement or answers the question.

Draw a graph to match the description. Answers will vary.

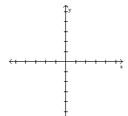
40) f(x) is decreasing over $(\infty, 2]$ and increasing over $[2, \infty)$.

40) _____



41) g(x) is increasing over $(\infty, -2]$ and decreasing over $[-2, \infty)$.

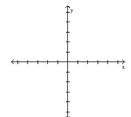




Answer: Answers will vary.

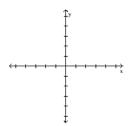
42) f(x) has a positive derivative over (∞ , 6) and a negative derivative over (6, ∞).





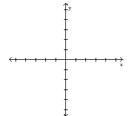
Answer: Answers will vary.

43) f(x) has a negative derivative over (∞, -3) and a positive derivative over (-3, ∞).



44) G(x) is decreasing over (∞ , -2] and [6, ∞) and increasing over [-2, 6]

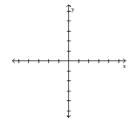




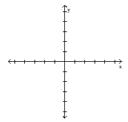
Answer: Answers will vary.

45) f(x) is increasing over (∞ , -5] and [-3, ∞) and decreasing over [-5, -3].

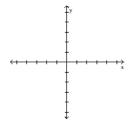




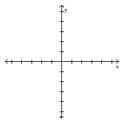
46) g(x) has a negative derivative over (∞ , -5) and (2, 5) and a positive derivative over (-5, 2) 46) and (5, ∞).



Answer: Answers will vary.

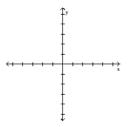


48) F(x) has a positive derivative over (∞, -6) and (-6, 2) and a negative derivative over (2, ∞), 48) and a derivative equal to 0 at x = -6.



Answer: Answers will vary.

49) f(x) has a positive derivative over (∞, -7) and a negative derivative over (-7, -2) and (-2, 49) ∞), and a derivative equal to 0 at x = -2.



Answer: Answers will vary.

MULTIPLE CHOICE. Choose the one alternative that best completes the statement or answers the question.

Solve the problem.

50) A firm estimates that it will sell N units of a product after spending x dollars on advertising, where

 $N(x) = -x^2 + 50x + 8, \quad 0 \le x \le 50,$

and x is in thousands of dollars. Find the relative extrema of the function.

- A) relative maximum at (25, 633)
- B) relative maximum at (25, 1883)
- C) relative minimum at (25, 1883)
- D) relative minimum at (25, 633)

Answer: A

51) Assume that the temperature of a person during an illness is given by

 $T(t) = -0.1t^2 + 1.4t + 98.6, 0 \le t \le 14$

where T = the temperature (°F) at time t, in days. Find the relative extrema of the function.

- A) relative minimum at (7, 102.5)
- B) relative maximum at (7, 104.5)
- C) relative minimum at (7, 103.5)
- D) relative maximum at (7, 103.5)

Answer: D

52) The Olympic flame at the 1992 Summer Olympics was lit by a flaming arrow. As the arrow moved horizontally from the archer, assume that its height h, in feet, was approximated by the function

52) ____

51)

$$h = -0.002d^2 + 0.7d + 6.7$$
.

Find the relative maximum of the function.

- A) relative maximum at (175, 67.95)
- B) relative maximum at (0, 6.7)
- C) relative maximum at (350, 129.2)
- D) relative maximum at (175, 61.25)

Answer: A

Use a graphing calculator to find the approximate location of all relative extrema.

53) $f(x) = 0.1x^3 - 15x^2 + 27x - 82$

53)

- A) Relative minimum at x = -99.092; relative maximum at x = -0.908
- B) Relative maximum at x = -99.092; relative minimum at x = -0.908
- C) Relative maximum at x = 0.908; relative minimum at x = 99.092
- D) Relative minimum at x = 0.908; relative maximum at x = 99.092

Answer: C

54) $f(x) = 0.1x^4 - x^3 - 15x^2 + 59x + 14$

54)

- A) Relative maximum at x = 1.735; relative minima at x = -6.777 and x = 12.542
- B) Relative maximum at x = 1.764; relative minima at x = -6.783 and x = 12.64
- C) Relative maximum at x = 1.792; relative minima at x = -6.694 and x = 12.455
- D) Relative maximum at x = 1.702; relative minima at x = -6.681 and x = 12.491

Answer: A

55) $f(x) = x^4 - 3x^3 - 21x^2 + 74x + 79$

55)

- A) Relative maximum at x = 1.535; Relative minima at x = -3.013 and x = 3.776
- B) Relative maximum at x = 1.56; Relative minima at x = -3.011 and x = 3.816
- C) Relative maximum at x = 1.604; Relative minima at x = -3.089 and x = 3.735
- D) Relative maximum at x = 1.668; Relative minima at x = -3.169 and x = 3.82

Answer: C

56) $f(x) = x^4 - 4x^3 - 53x^2 - 86x + 72$

56)

- A) Relative maximum at x = 0.923; relative minima at x = -3.161 and x = 7.046
- B) Relative maximum at x = 0.894; relative minima at x = -3.193 and x = 7.212
- C) Relative maximum at x = -0.944; relative minima at x = -3.192 and x = 7.136
- D) Relative maximum at x = 0.957; relative minima at x = -3.114 and x = 7.213

Answer: C

57) $f(x) = x^5 - 15x^4 - 3x^3 - 172x^2 + 135x + 0.058$

57)

- A) Relative maximum at x = 0.379; relative minima at x = -0.472 and x = 12.565
- B) Relative maximum at x = 0.379; relative minimum at x = 12.565
- C) Relative maximum at x = 0.474; relative minima at x = -0.474 and x = -12.593
- D) Relative maximum at x = 0.34; relative minimum at x = -12.64

Answer: B

58) $f(x) = 0.1x^5 + 5x^4 - 8x^3 - 15x^2 - 6x - 46$

- 58)
- A) Relative maxima at x = -41.036 and x = -0.193; relative minima at x = -0.61 and x = 2.015
- B) Relative maxima at x = -41.212 and x = -0.219; relative minima at x = -0.593 and x = 2.006
- C) Relative maxima at x = -41.159 and x = -0.186; relative minima at x = -0.548 and x = 1.979
- D) Relative maxima at x = -41.132 and x = -0.273; relative minima at x = -0.547 and x = 1.952

Answer: D

59) $f(x) = 0.01x^5 - x^4 + x^3 + 8x^2 - 7x + 61$

- 59)
- A) Relative maxima at x = -1.861 and x = 2.247; relative minima at x = 0.423 and x = 79.192
- B) Relative maxima at x = -1.861 and x = 2.247; relative minimum at x = 0.423
- C) Relative maxima at x = -1.841 and x = 2.304; relative minima at x = 0.363 and x = 79.172
- D) Relative maxima at x = -1.927 and x = 2.267; relative minima at x = 0.514 and x = 79.212

Answer: A

Find the relative extrema of the function and classify each as a maximum or minimum.

60) $f(x) = 5 - x^2$

- A) Relative minima: $(-\sqrt{5}, 0), (\sqrt{5}, 0)$
- B) Relative minimum: (0, 5)

C) Relative maximum: (0, 5)

D) Relative maximum: $(5, \sqrt{5})$

Answer: C

61) $f(x) = 4x^2 - 16x + 17$

61)

A) Relative maximum: (-2, -1)

B) Relative minimum: (2, 1)

C) Relative minimum: (-1, -2)

D) Relative minimum: (1, 2)

Answer: B

62) $s(x) = -x^2 - 14x + 32$

62)

A) Relative maximum: (-14, 32)

B) Relative maximum: (-7, 81)

C) Relative minimum: (14, 32)

D) Relative maximum: (7, 81)

Answer: B

63) $f(x) = x^2 + 7x - 6$

- A) Relative maximum: $\left(\frac{7}{2}, \frac{73}{4}\right)$ C) Relative maximum: $\left(-\frac{7}{2}, -\frac{73}{4}\right)$
- B) Relative minimum: $\left(\frac{7}{2}, -\frac{25}{4}\right)$ D) Relative minimum: $\left(-\frac{7}{2}, -\frac{73}{4}\right)$

64)
$$f(x) = -7x^2 - 2x - 2$$

A) Relative maximum: $\left(\frac{1}{7}, \frac{13}{7}\right)$ C) Relative maximum: $\left(-7, -\frac{13}{7}\right)$ B) Relative maximum: $\left[-\frac{1}{7}, -\frac{13}{7}\right]$ D) Relative minimum: $\left(\frac{1}{7}, \frac{13}{7}\right)$

Answer: B

65)
$$y = x^3 - 3x^2 + 5x - 6$$

A) Relative maximum: (2, 2) B) Relative minimum: (1, 2)

C) Relative maximum: (-1, 2) D) No relative extrema exist

Answer: D

66)
$$f(x) = x^3 - 12x - 4$$

- A) Relative maximum: (5, 61); relative minimum: (-3, 5)
- B) Relative maximum: (5, 61); relative minimum: (2, -20)
- C) Relative maximum: (-2, 12); relative minimum: (2, -20)
- D) Relative minimum: (-2, 12); relative maximum: (2, -20)

Answer: C

67)
$$f(x) = x^3 - 6x^2 + 5$$

- A) Relative maximum: (0, 5); relative minimum (4, -27)
- B) Relative minimum: (0, 5); relative maximum: (4, -11)
- C) Relative maximum: (0, 5)
- D) Relative maximum: (-2, 37); relative minimum (2, -11)

Answer: A

68)
$$f(x) = -x^3 + 3x^2 - 2$$
A) Relative minimum: $(0, -2)$

- B) Relative maximum: (0, -2); relative minimum: (2, 2)
- C) Relative minimum: (0, -2); relative maximum: (2, 2)
- D) Relative maximum: (-1, 6); relative minimum: (1, 0)

Answer: C

69)
$$f(x) = 2x^3 - 6x^2 - 48x - 3$$

- A) Relative maximum: $\left(-2, \frac{53}{6}\right)$, relative minimum: $\left(4, -\frac{163}{6}\right)$ B) Relative minimum: $\left(1, -59\right)$ C) Relative minimum: $\left(-2, \frac{53}{6}\right)$, relative maximum: $\left(4, -\frac{163}{6}\right)$
- D) Relative maximum: (- 1, 4

Answer: A

70)
$$f(x) = x^4 - 32x^2 - 3$$

- A) Relative minimum: (0, -3); relative maxima: (4, -259), (-4, -253) B) Relative maximum: (0, -3); relative minimum: (4, -259)
- C) Relative maximum: (4, -259); relative minimum: (-4, -259)
- D) Relative maximum: (0, -3); relative minima: (4, -259), (-4, -259)

71)
$$f(x) = x^3 - 4x^4$$

- A) Relative maximum: $\left(\frac{3}{16}, \frac{27}{16384}\right)$; relative minimum: (0, 0)B) Relative minimum: $\left(-\frac{3}{16}, -\frac{135}{16384}\right)$; relative maximum: (0, 0)
- C) Relative maximum: (0,0); relative minima: $\left[-\frac{3}{16}, -\frac{135}{16384} \right]$ and $\left[\frac{3}{16}, \frac{27}{16384} \right]$
- D) Relative maximum: $\left[\frac{3}{16}, \frac{27}{16384}\right]$

Answer: D

72)
$$f(x) = (x - 5)^{2/3}$$

- A) Relative maximum: (-5, 0)
- B) Relative minimum: (-5, 0) C) Relative minimum: (5, 0) D) There are no relative extrema.

Answer: C

73)
$$f(x) = (x - 6)^{1/3}$$

- A) Relative minimum at (-6, 0)
- B) Relative maximum at (6, 0) C) Relative minimum at (6, 0) D) No relative extrema exist

Answer: D

74)
$$f(x) = (x + 4)^4$$

- A) Relative minimum: (-4, 0) B) Relative maximum: (-4, 0)
- C) Relative maximum: (4, 0) D) No relative extrema exist

Answer: A

75)
$$f(x) = x^2(4 - x)^2$$

- A) Relative minimum: (0,0), relative maximum: (2, 16), relative minimum: (4, 0)
- B) Relative maximum: (0,0), relative minimum: (2, 16), relative maximum: (4, 0)
- C) Relative maximum: (0,0), relative minimum: (2, 16) D) Relative minimum: (0,0), relative minimum: (4,0)

Answer: A

76)
$$f(x) = 45x^3 - 3x^5$$

- A) Relative maximum at (0,0), relative minimum: (3, 486)
- B) Relative minimum: (-3, -486), relative maximum: (3, 486)
- C) Relative minimum: (-3, -486), relative minimum at (0,0), relative maximum: (3, 486)
- D) Relative minimum: (-3, -486), relative maximum at (0,0)

Answer: B

77)
$$f(x) = \frac{5}{x^2 + 1}$$

- A) Relative maximum: (0, -5)
- B) No relative extrema
- C) Relative maximum: (-1, 5)

D) Relative maximum: (0, 5)

78)
$$f(x) = \frac{3x}{x^2 + 1}$$

78)

A) Relative minimum: $\left[-1, -\frac{3}{2}\right]$, relative maximum: $\left[1, \frac{3}{2}\right]$

- B) Relative minimum: (0, 0)
- C) Relative maximum: (0, 0)
- D) Relative minimum: (1, 0), relative maximum: (-1, 0)

Answer: A

79) $f(x) = x\sqrt{16 - x^2}$

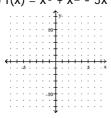
79)

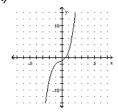
- A) Relative maximum: $(-\sqrt{8}, -8)$, relative minimum: $(\sqrt{8}, 8)$ B) Relative minimum: $(-\sqrt{8}, -8)$, relative maximum: $(\sqrt{8}, 8)$ C) Relative minimum: (0,0)
- D) Relative maximum: $(\sqrt{8}, 8)$

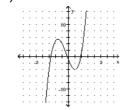
Answer: B

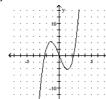
Graph the function.

80) $f(x) = x^3 + x^2 - 5x - 1$

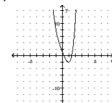




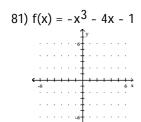




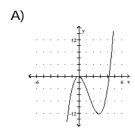
D)

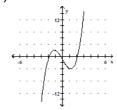


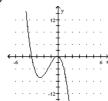
Answer: B



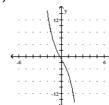
81) _____





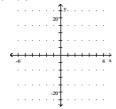


D)



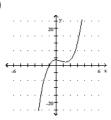
Answer: D

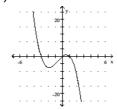
82)
$$f(x) = -x^3 - 2x^2 + 3$$

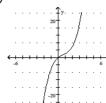


82) ____

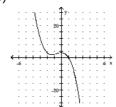
A)





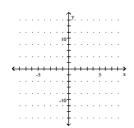


D)



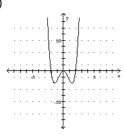
Answer: D

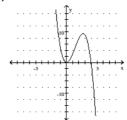
83)
$$f(x) = x^3 - 4x^2$$

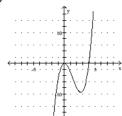


83) ____

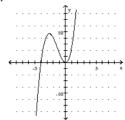






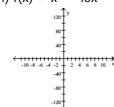


D)



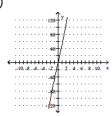
Answer: C

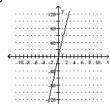
84)
$$f(x) = x^3 - 48x$$

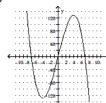


84)

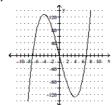






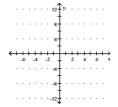


D)



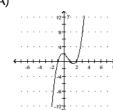
Answer: D

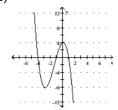
85)
$$f(x) = x^3 + 4x^2 - x - 4$$



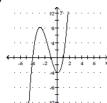
85) ____

A)

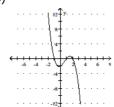






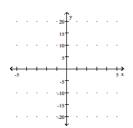


D)



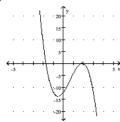
Answer: C

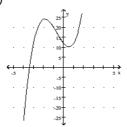
86)
$$f(x) = 2x^3 - 4x^2 - 6x + 12$$

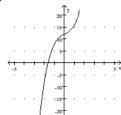


86) ____

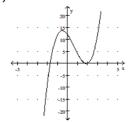
A)





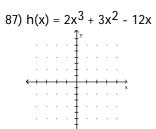


D)



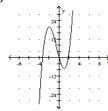
Answer: D

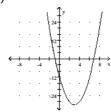
87)
$$h(x) = 2x^3 + 3x^2 - 12x$$

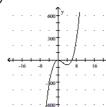


87) _____

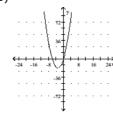




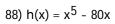


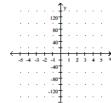


D)



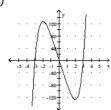
Answer: A

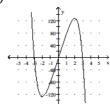


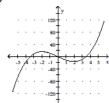


88)

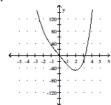
Δ







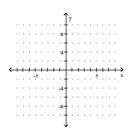
D)



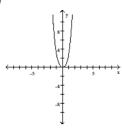
Answer: A

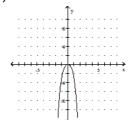
89)
$$f(x) = -x^4 - 2x^2$$

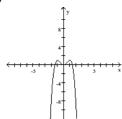
89)



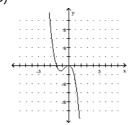
A)







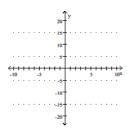
D)



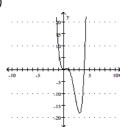
Answer: B

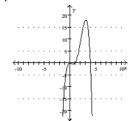
90)
$$f(x) = x^4 - 5x^3 + 4x^2$$

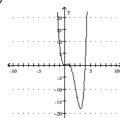
90)



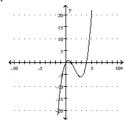
A)





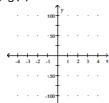


D)



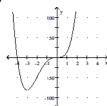
Answer: C

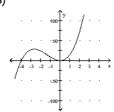
91)
$$g(x) = 3x^4 - 12x^3$$

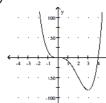


91) ____

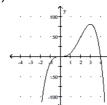






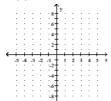


D)



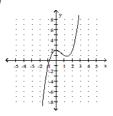
Answer: C

92)
$$h(x) = x^4 - 2x^2 + 2$$

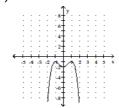


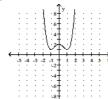
92) ____

A)

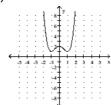


B,

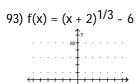




D)



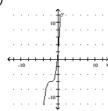
Answer: C

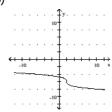


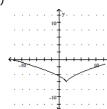


93) ____

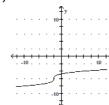
A)







D)

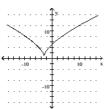


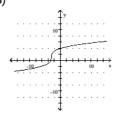
Answer: D

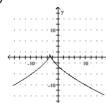
94)
$$f(x) = -2(x + 3)^{2/3} + 1$$

94) ____

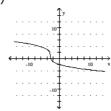






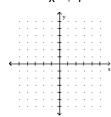


D)



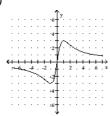
Answer: C

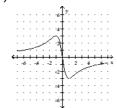
95) g(x) =
$$\frac{6x}{x^2 + 1}$$

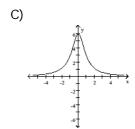


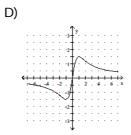
95)

A)





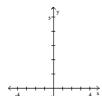




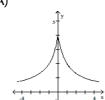
Answer: A

96)
$$f(x) = \frac{4}{x^2 + 1}$$

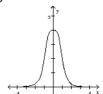
96)



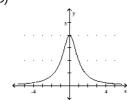
A)



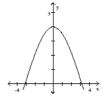
B)



C)

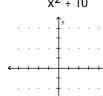


D)



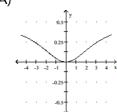
Answer: C

97)
$$F(x) = \frac{x^2}{x^2 + 10}$$

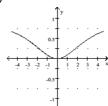


7)

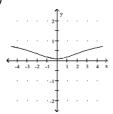
A)



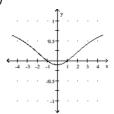
B)



C)



D)



Answer: B

Find the points of inflection.

98)
$$f(x) = 7x^3 + 2x + 7$$

A) $(0, 2)$

Answer: C

99)
$$f(x) = x^3 + 7x + 1$$

A) (1, 7)

D) (7, 0)

- 100) $f(x) = -x^3 + 9x + 3$ A) (0, 3) B) (0, 9) C) (-3, 9) D) (3, -3)
 - Answer: A

Answer: D

Answer: A

Answer: D

- 101) $f(x) = 7x x^3$
- A) (1, 7)
 B) (0, 0), (1, 7)
 C) (0, 0)
 D) No points of inflection exist
 - Answer: C
- 102) $f(x) = x^3 12x^2 + 2x + 15$ A) (-4, -48) B) (4, -46) C) (4, -252) D) (4, -105)
- 103) $f(x) = x^3 + 3x^2 x 24$ A) (-1, -21) B) (-1, 0) C) (-1, 3) D) (1, 8)
- Answer: A
- 104) $f(x) = -\frac{2}{3}x^3 + 6x^2 x$ A) (3, -17) B) (3, 0) C) (3, 33) D) (-3, 75)
 - A) (3, -17) B) (3, 0) C) (3, 33) D) (-3, 75)

 Answer: C
- 105) $f(x) = 2x^3 9x^2 + 12x$ A) $\left(\frac{3}{2}, \frac{9}{2}\right)$ B) (0, 0)
- C) (0,0)D) No points of inflection exist
- 106) $f(x) = \frac{4}{3}x^3 12x^2 + 10x + 45$
- A) (3, 0) B) (0, 3) C) (3, -26) D) (3, 3)
- 107) $f(x) = x^4 24x^2$
- 107) $f(x) = x^4 24x^2$ A) (0, 0), (-2, -80), (2, -80)B) (0, 0)
 - C) (-2, -80), (2, -80) D) $(-2\sqrt{3}, 144)$, $(2\sqrt{3}, 144)$ Answer: C
- 108) $f(x) = 10x^3 3x^5$
- A) (-1, -7), (1, 7)B) (0, 0), (-1, -7), (1, 7)C) (0, 0)D) (0, 0), $(-\sqrt{2}, -8\sqrt{2})$, $(\sqrt{2}, 8\sqrt{2})$
 - C) (0, 0) D) $(0, 0), (-\sqrt{2}, -8\sqrt{2}), (\sqrt{2}, 8\sqrt{2})$ Answer: B

109)
$$f(x) = \frac{1}{2}x^4 - 2x^3 + 12$$

A) (0, 12), (2, -8)

B) (0, 12), (2, 4)

C) (2, 0)

D) (2, 4)

Answer: B

110)
$$f(x) = \frac{1}{4}x^4 - x^3 + 9$$

A) (0, 9), (2, 5)

B) (0, 0), (2, -4)

C) (0, 0)

D) (0, 0), (2, 5)

Answer: A

111)
$$f(x) = \frac{3x}{x^2 + 25}$$

A)
$$(0, 0)$$
, $\left[\sqrt{75}, \frac{3}{100}\sqrt{75}\right]$, $\left[-\sqrt{75}, -\frac{3}{100}\sqrt{75}\right]$ B) $\left[\pm\frac{5}{\sqrt{3}}, \frac{9}{100}\right]$ C) $\left[\pm\frac{1}{\sqrt{3}}, \frac{21}{4}\right]$ D) $(0, 0)$, $\left[\sqrt{75}, \frac{3}{100}\right]$

B) $\left[\pm \frac{3}{\sqrt{3}}, \frac{9}{100}\right]$ D) $(0, 0), \left[\sqrt{75}, -\frac{3}{100}\sqrt{75}\right], \left[-\sqrt{75}, \frac{3}{100}\sqrt{75}\right]$

Answer: A

112)
$$f(x) = (x + 2)^{2/3} - 8$$

A) (-2, -8)

B) (-2, -8), $(0, 2^{2/3} - 8)$

C) $(0, 2^{2/3} - 8)$

D) No points of inflection exist

Answer: D

113)
$$f(x) = (x - 3)^{1/3} + 8$$

A) (3,8)

C) $(0, 3^{1/3} + 8)$

B) (-3,8)

D) No points of inflection exist

Answer: A

114)
$$f(x) = x\sqrt{81 - x^2}$$

A) $(0, 0), (81, 0)$ B) $(0, 0)$ C) $(9, 0)$ D) $(-9, 0), (9, 0)$

Answer: B

Determine where the given function is increasing and where it is decreasing.

115)
$$s(x) = -x^2 - 20x - 84$$

A) Increasing on (∞, ∞)

B) Increasing on $(\infty, -10)$, decreasing on $(-10, \infty)$

C) Decreasing on (∞, -10), increasing on (-10, ∞)

D) Decreasing on $(\infty, -10)$ and $(0, \infty)$, increasing on (-10, 0)

Answer: B

- 116) $f(x) = x^2 + 7x 4$ 116)
 - A) Increasing on $\left[\infty, -\frac{7}{2}\right]$ and $(0, \infty)$, decreasing on $\left[-\frac{7}{2}, 0\right]$
 - B) Decreasing on $\left[\infty, \frac{7}{2}\right]$, increasing on $\left[\frac{7}{2}, \infty\right]$
 - C) Increasing on $\left[\infty, -\frac{7}{2}\right]$, decreasing on $\left[-\frac{7}{2}, \infty\right]$
 - D) Decreasing on $\left[\infty, -\frac{7}{2}\right]$, increasing on $\left[-\frac{7}{2}, \infty\right]$

Answer: D

- 117) $f(x) = -3x^2 2x 4$ 117)
 - A) Increasing on $\left[\infty, -\frac{1}{3}\right]$ and $\left(0, \infty\right)$, decreasing on $\left(-\frac{1}{3}, 0\right)$ B) Decreasing on $\left(\infty, -\frac{1}{3}\right)$, increasing on $\left(-\frac{1}{3}, \infty\right)$
 - C) Increasing on $\left[\infty, \frac{1}{3}\right]$, decreasing on $\left[\frac{1}{3}, \infty\right]$
 - D) Increasing on $\left[\infty, -\frac{1}{3}\right]$, decreasing on $\left[-\frac{1}{3}, \infty\right]$

Answer: D

118)
$$y = x^3 - 3x^2 + 4x - 4$$

- 118) A) Increasing on $(\infty, -1)$ and $(1, \infty)$, decreasing on (-1, 1)
 - B) Decreasing on $(\infty, -1)$ and $(1, \infty)$, increasing on (-1, 1)
 - C) Increasing on (∞, ∞)
 - D) Increasing on (∞, 1), decreasing on (1, ∞)

Answer: C

119)
$$f(x) = x^3 - 12x - 2$$

A) Increasing on (∞ , -2) and (2, ∞), decreasing on (-2, 2)

- B) Decreasing on $(\infty, -2)$ and $(2, \infty)$, increasing on (-2, 2)
- C) Decreasing on (∞, -2), increasing on (-2, ∞)
- D) Increasing on $(\infty, -4)$ and $(4, \infty)$, decreasing on (-4, 4)

Answer: A

120)
$$f(x) = -x^3 + 3x^2 - 10$$

119)

- A) Increasing on (∞, 0) and (2, ∞), decreasing on (0, 2)
- B) Decreasing on $(\infty, -1)$ and $(1, \infty)$, increasing on (-1, 1)
- C) Decreasing on $(\infty, 0)$ and $(2, \infty)$, increasing on (0, 2)
- D) Decreasing on (∞, 2), increasing on (2, ∞)

Answer: C

121) $f(x) = 2x^3 - 15x^2 + 24x$ 121)

- A) Increasing on $(\infty, 1)$ and $(4, \infty)$, decreasing on (1, 4)
- B) Increasing on $(\infty, 1)$, decreasing on $(1, \infty)$
- C) Decreasing on (*, 1) and $(4, \infty)$, increasing on (1, 4)
- D) Decreasing on $(\infty, 0)$ and $(4, \infty)$, increasing on (0, 4)

Answer: A

122) $f(x) = x^4 - 2x^2 - 9$ 122)

- A) Increasing on $(\infty, -1)$ and (0, 1), decreasing on (-1, 0) and $(1, \infty)$
- B) Decreasing on $(\infty, -1)$ and $(1, \infty)$, increasing on (-1, 1)
- C) Increasing on $(\infty, -1)$ and $(1, \infty)$, decreasing on (-1, 1)
- D) Decreasing on $(\infty, -1)$ and (0, 1), increasing on (-1, 0) and $(1, \infty)$

Answer: D

123) $f(x) = x^3 - 5x^4$ 123)

- A) Increasing on $\left[\infty, -\frac{3}{20}\right]$ and $\left[0, \frac{3}{20}\right]$, decreasing on $\left[-\frac{3}{20}, 0\right]$ and $\left[\frac{3}{20}, \infty\right]$
- B) Increasing on $\left[\infty, \frac{3}{20}\right]$, decreasing on $\left[\frac{3}{20}, \infty\right]$
- C) Decreasing on $\left(\infty, -\frac{3}{20}\right)$ and $\left(0, \frac{3}{20}\right)$, increasing on $\left(-\frac{3}{20}, 0\right)$ and $\left(\frac{3}{20}, \infty\right)$
- D) Decreasing on $\left[\infty, \frac{3}{20}\right]$, increasing on $\left[\frac{3}{20}, \infty\right]$

Answer: B

124) ___ 124) $f(x) = (x + 3)^{2/3} - 7$

- A) Decreasing on (∞, ∞)
- B) Decreasing on $(\infty, -3)$ and $(0, \infty)$, increasing on (-3, 0)
- C) Decreasing on $(-3, \infty)$, increasing on $(-3, \infty)$
- D) Increasing on $(\infty, -3)$, decreasing on $(-3, \infty)$

Answer: C

125) $f(x) = (x - 2)^{1/3} + 6$ 125)

- A) Decreasing on $(\infty, 2)$, increasing on $(2, \infty)$ B) Increasing on (∞, ∞) D) Decreasing on (∞, ∞)
- C) Increasing on $(\infty, 2)$, decreasing on $(2, \infty)$

Answer: B

126) $f(x) = x^2(6 - x)^2$ 126)

- A) Increasing on $(\infty, 0)$ and (3, 6), decreasing on (0, 3) and $(6, \infty)$
- B) Decreasing on $(\infty, 0)$ and (3, 6), increasing on (0, 3) and $(6, \infty)$
- C) Decreasing on $(\infty, 0)$ and $(3, \infty)$, increasing on (0, 3)
- D) Decreasing on $(\infty, 0)$ and $(6, \infty)$, increasing on (0, 6)

Answer: B

127)
$$f(x) = 45x^3 - 3x^5$$

- A) Increasing on (-3, 3) and $(3, \infty)$, decreasing on (-3, 3)
- B) Increasing on $(\infty, -3)$ and (0, 3), decreasing on (-3, 0) and $(3, \infty)$
- C) Decreasing on $(\infty, -3)$ and (0, 3), increasing on (-3, 0) and $(3, \infty)$
- D) Decreasing on $(\infty, -3)$ and $(3, \infty)$, increasing on (-3, 3)

Answer: D

128)
$$f(x) = \frac{3}{x^2 + 1}$$

- A) Decreasing on (∞, 0), increasing on (0, ∞)
- B) Increasing on (∞, 0), decreasing on (0, ∞)

C) Increasing on (∞, ∞)

D) Decreasing on (∞, ∞)

Answer: B

129)
$$f(x) = \frac{9x}{x^2 + 1}$$

- A) Decreasing on $(\infty, -1)$ and $(1, \infty)$, increasing on (-1, 1)
- B) Increasing on (∞, ∞)
- C) Increasing on $(\infty, -1)$ and $(1, \infty)$, decreasing on (-1, 1)
- D) Decreasing on (∞, -1), increasing on (-1, ∞)

Answer: A

Determine where the given function is concave up and where it is concave down.

130)
$$f(x) = x^2 - 12x + 40$$

- A) Concave up on $(-\infty, 6)$, concave down on $(6, \infty)$
- B) Concave down for all x
- C) Concave up for all x
- D) Concave up on $(6, \infty)$, concave down on $(-\infty, 6)$

Answer: C

131)
$$q(x) = 6x^3 + 2x + 8$$

- A) Concave up on $(-\infty, 0)$, concave down on $(0, \infty)$
- B) Concave up for all x
- C) Concave down for all x
- D) Concave up on $(0, \infty)$, concave down on $(-\infty, 0)$

Answer: D

132)
$$f(x) = 9x - x^3$$

- A) Concave up on $(0, \infty)$, concave down on $(-\infty, 0)$
- B) Concave up on $(-\infty, 0)$, concave down on $(0, \infty)$
- C) Concave up on $(-\infty, 0)$ and $(1, \infty)$, concave down on (0, 1)
- D) Concave down for all t

Answer: B

133)
$$f(x) = x^3 + 12x^2 - x - 24$$

- A) Concave up on $(-4, \infty)$, concave down on $(-\infty, -4)$
- B) Concave down for all x
- C) Concave up on $(-\infty, -4)$, concave down on $(-4, \infty)$
- D) Concave down on $(-\infty, -4)$ and $(4, \infty)$, concave up on (-4, 4)

Answer: A

134)
$$h(x) = \frac{4}{3}x^3 - 12x^2 + 10x + 45$$

- A) Concave up on $(-\infty, 3)$, concave down on $(3, \infty)$
- B) Concave up on $(-\infty, 0)$ and $(3, \infty)$, concave down on (0, 3)
- C) Concave down for all x
- D) Concave up on $(3, \infty)$, concave down on $(-\infty, 3)$

Answer: D

135)
$$G(x) = \frac{1}{4}x^4 - x^3 + 6$$

- A) Concave up for $(-\infty, 0)$, concave down for $(0, \infty)$
- B) Concave up on $(-\infty, 0)$ and $(2, \infty)$, concave down on (0, 2)
- C) Concave up on (0, 2), concave down on $(-\infty, 0)$ and $(2, \infty)$
- D) Concave up for $(2, \infty)$, concave down on $(-\infty, 2)$

Answer: B

136)
$$f(x) = -x^3 + 8x + 2$$

- A) Concave up on $(-\infty, 0)$, concave down on $(0, \infty)$
- B) Concave down on $(-\infty, 2)$, concave up on $(2, \infty)$
- C) Concave down on $(-\infty, 0)$, concave up on $(0, \infty)$
- D) Concave up on $(-\infty, 2)$, concave down on $(2, \infty)$

Answer: A

137)
$$f(x) = x^3 - 12x^2 + 2x + 15$$

- A) Concave down on $(-\infty, -4)$, concave up on $(-4, \infty)$
- B) Concave up on $(-\infty, 4)$, concave down on $(4, \infty)$
- C) Concave up on $(-\infty, -4)$, concave down on $(-4, \infty)$
- D) Concave down on $(-\infty, 4)$, concave up on $(4, \infty)$

Answer: D

138)
$$f(x) = 2x^3 + 12x^2 + 18x$$

A) Concave up on $(\infty, -2)$, concave down on $(-2, \infty)$

- B) Concave down on (∞ , -3.5), concave up on (-3.5, ∞)
- C) Concave up on (∞ , -3.5), concave down on (-3.5, ∞)
- D) Concave down on $(\infty, -2)$, concave up on $(-2, \infty)$

Answer: D

139)
$$f(x) = x^4 - 24x^2$$

- A) Concave up on $(\infty, -2)$ and (0, 2), concave down on (-2, 0) and $(2, \infty)$
- B) Concave up on $(\infty, -2)$ and $(2, \infty)$, concave down on (-2, 2)
- C) Concave down on $(\infty, -2)$ and $(2, \infty)$, concave up on (-2, 2)
- D) Concave up on $(-2\sqrt{3})$ and $(2\sqrt{3}, \infty)$, concave down on $(-2\sqrt{3}, 2\sqrt{3})$

Answer: B

140)
$$f(x) = 10x^3 - 3x^5$$

- A) Concave up on $(\infty, -\sqrt{2})$ and $(0, \sqrt{2})$, concave down on $(-\sqrt{2}, 0)$ and $(\sqrt{2}, \infty)$
- B) Concave up on $(\infty, -1)$ and (0, 1), concave down on (-1, 0) and $(1, \infty)$
- C) Concave down on $(\infty, -1)$ and (0, 1), concave up on (-1, 0) and $(1, \infty)$
- D) Concave up on $(\infty, -1)$ and $(1, \infty)$, concave down on (-1, 1)

Answer: B

141)
$$f(x) = \frac{4x}{x^2 + 49}$$

- A) Concave down on $(\infty, -\sqrt{147})$ and $(\sqrt{147}, \infty)$, concave up on $(-\sqrt{147}, \sqrt{147})$.
- B) Concave up on $(\infty, -\sqrt{147})$ and $(0, \sqrt{147})$, concave down on $(-\sqrt{147}, 0)$ and $(\sqrt{147}, \infty)$.
- C) Concave down on (*, 0), concave up on $(0, \infty)$
- D) Concave down on $(\infty, -\sqrt{147})$ and $(0, \sqrt{147})$, concave up on $(-\sqrt{147}, 0)$ and $(\sqrt{147}, \infty)$.

Answer: D

142)
$$f(x) = (x+2)^{2/3} - 5$$

- A) Concave down on (∞, -2) and (-2, ∞)
- B) Concave down on (∞, ∞)
- C) Concave down on $(-2, \infty)$
- D) Concave up on $(\infty, -2)$ and $(-2, \infty)$

Answer: A

143)
$$f(x) = (x - 2)^{1/3} - 6$$

- A) Concave down on $(\infty, 2)$ and $(2, \infty)$
- B) Concave up on (∞, ∞)
- C) Concave up on (∞, 2), concave down on (2, ∞)
- D) Concave down on $(\infty, 2)$, concave up on $(2, \infty)$

Answer: C

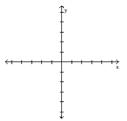
144)
$$f(x) = x\sqrt{25 - x^2}$$

- A) Concave down on (-5, 0), concave up on (0, 5)
- B) Concave up on $(-\infty, 0)$, concave down on $(0, \infty)$
- C) Concave up on (-5, 0), concave down on (0, 5)
- D) Concave up on $(-\infty, \infty)$

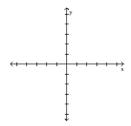
Answer: C

Draw a graph to match the description. Answers will vary.

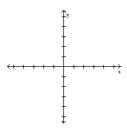
145) f(x) is decreasing and concave up on (∞, -7); f(x) is decreasing and concave down on (-7, 145)



Answer: Answers will vary.

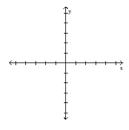


Answer: Answers will vary.

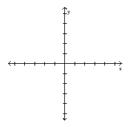


Answer: Answers will vary.

148) f(x) is increasing and concave down on (∞ , 3); f(x) is increasing and concave up on (3, ∞).

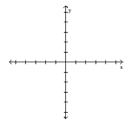


Answer: Answers will vary.



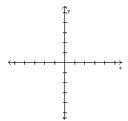
Answer: Answers will vary.

150) g(x) is concave up at (-6, 12), concave down at (6, -15), and has an inflection point at (2, 150)



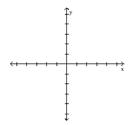
Answer: Answers will vary.

151)
$$f'(-7) = 0$$
, $f''(-7) < 0$, $f(-7) = 17$, $f'(7) = 0$, $f''(7) > 0$, $f(7) = -3$, $f''(3) = 0$ and $f(3) = 3$.



Answer: Answers will vary.

152)
$$f'(-5) = 0$$
, $f''(-5) > 0$, $f(-5) = -13$, $f'(5) = 0$, $f''(5) < 0$, $f(5) = 25$, $f''(-3) = 0$ and $f(3) = 13$.



Answer: Answers will vary.

MULTIPLE CHOICE. Choose the one alternative that best completes the statement or answers the question.

Solve the problem.

153) The annual revenue and cost functions for a manufacturer of grandfather clocks are approximately

- $R(x) = 480x 0.02x^2$ and C(x) = 120x + 100,000, where x denotes the number of clocks made. What is the maximum annual profit?
- A) \$1,520,000
- B) \$1,620,000
- C) \$1,820,000
- D) \$1,720,000

Answer: A

- 154) The annual revenue and cost functions for a manufacturer of precision gauges are approximately $R(x) = 500x - 0.03x^2$ and C(x) = 120x + 100,000, where x denotes the number of gauges made. What is the maximum annual profit?
- 154)

153)

- A) \$1,403,333
- B) \$1,103,333
- C) \$1,303,333
- D) \$1,203,333

Answer: B

155)	The percent of concentration of a certain drug in the bloodstream x hr after the drug is				155)			
	administered is given by $K(x) = \frac{3x}{x^2 + 25}$. How long after the drug has been administered is the							
	concentration a maximum? A) 3 hr	Round answer to the nea B) 5 hr	rest tenth, if necessary. C) 1.3 hr	D) 2.5 hr				
	Answer: B							
156)	A person coughs when a fo the size of the object. Supp a radius r, in mm, assume t given by	ose a person has a windpi hat the velocity V, in mm/	ipe with a 18-mm radius.	If a foreign object has	156)			
	$V(r) = k(18r^2 - r^3)$, $0 \le r \le 18$, where k is some positive constant. For what size object is the maximum velocity needed to remove t object? Round answer to the nearest tenth, if necessary.							
	A) 9	B) 13	C) 12	D) 6				
	Answer: C							
157)	Suppose that the temperatu	ıre T, in degrees Fahrenhe	eit, during a 24-hr period i	n winter is given by	157)			
	$T(x) = 0.0023(x^3 - 39x + 240), 0 \le x \le 24,$							
	where $x =$ the number of hours since midnight. Estimate the relative minimum temperature and when it occurs. Round answers to the nearest hundredth, if necessary.							
	A) 0.33° F at 0.33 hours a		B) 0.34° F at 3.61 hours a	fter midnight				
	C) 0.37° F at 0.37 hours after midnight D) 0.35° F at 3.61 hours after midnight							
	Answer: B							
158)	B) Because of material shortages, it is increasingly expensive to produce 6.0L diesel engines. In fact, the profit in millions of dollars from producing x hundred thousand engines is approximated by $P(x) = -x^3 + 11x^2 + 15x - 39$, where $0 \le x \le 20$. Find the inflection point of this function to determine the point of diminishing returns. A) (2.75, 114.59) B) (3.67, 114.59) C) (3.67, 24.96) D) (3.67, 63.26)				158)			
	Answer: B	B) (3.07, 114.3 7)	C) (3.07, 24.70)	D) (3.07, 03.20)				
159)	The function $R(x) = 12,000$	$-x^3 + 24x^2 + 400x, 0 \le x \le 2$	20, represents revenue in t	housands of dollars	159)			
ŕ	where x represents the amount spent on advertising in tens of thousands of dollars. Find the				·			
	inflection point for the fund A) (9.6, 17,167.1)	tion to determine the poir B) (38.05, 6878.37)	nt of diminishing returns. C) (14, 19,560)	D) (8, 16,224)				
	Answer: D	D) (30.03, 0070.37)	C) (14, 17,000)	D) (0, 10,224)				
Determin	e the vertical asymptote(s)	of the given function. If r	none exists, state that fact					
	Determine the vertical asymptote(s) of the given function. If none exists, state that fact. 160) $f(x) = \frac{7x}{x-6}$							
100)					160)			
	A) x = 7	B) $x = 6$	C) none	D) $x = -6$				
	Answer: B							
161)	$f(x) = \frac{x+6}{x^2-64}$				161)			
	A) $x = -8$, $x = 8$, $x = -6$		B) $x = 64$, $x = -6$					
	C) $x = 0$, $x = 64$		D) $x = -8$, $x = 8$					

Answer: D

162)
$$h(x) = \frac{x+9}{x^2+64}$$

A)
$$x = -8$$
, $x = 8$, $x = -9$

A)
$$x = -8$$
, $x = 8$, $x = -9$
B) none
C) $x = -8$, $x = -9$
D) $x = -8$, $x = 8$

Answer: B

163)
$$g(x) = \frac{x+11}{x^2+9x}$$

A)
$$x = 0$$
, $x = -3$, $x = 3$

A)
$$x = 0$$
, $x = -3$, $x = 3$
B) $x = -3$, $x = 3$
C) $x = 0$, $x = -9$

Answer: C

164)
$$f(x) = \frac{x(x-1)}{x^3 + 9x}$$

A)
$$x = 0, x = -9$$

A)
$$x = 0$$
, $x = -9$
B) $x = -3$, $x = 3$
C) $x = 0$
D) $x = 0$, $x = -3$, $x = 3$

Answer: C

165)
$$R(x) = \frac{-3x^2}{x^2 + 5x - 66}$$

A)
$$x = -11$$
, $x = 6$, $x = -3$ B) $x = -11$, $x = 6$

C)
$$x = 11$$
, $x = -6$

Answer: B

166)
$$R(x) = \frac{x-1}{x^3 + 8x^2 - 48x}$$

A)
$$x = -4$$
, $x = -30$, $x = 12$ B) $x = -4$, $x = 0$, $x = 12$

C)
$$x = -12$$
, $x = 0$, $x = 4$

Answer: C

167)
$$f(x) = \frac{-2x(x+2)}{4x^2 - 3x - 7}$$

A)
$$x = \frac{4}{7}$$
, $x = -1$ B) $x = -\frac{7}{4}$, $x = 1$ C) $x = \frac{7}{4}$, $x = -1$ D) $x = -\frac{4}{7}$, $x = 1$

Answer: C

168)
$$f(x) = \frac{x-2}{4x-x^3}$$

A)
$$x = 0$$
, $x = 2$
B) $x = 0$, $x = -2$, $x = 2$

C)
$$x = 0, x = 2$$

D) $x = -2, x = 2$

Answer: C

169)
$$f(x) = \frac{-x^2 + 16}{x^2 + 5x + 4}$$

$$\frac{109) 1(x) = \frac{1}{x^2 + 5x + 4}}{109}$$

A)
$$x = -1$$
, $x = -4$ B) $x = 1$, $x = -4$ C) $x = -1$, $x = 4$ D) $x = -1$

Answer: D

Determine the horizontal asymptote of the given function. If none exists, state that fact.

170)
$$h(x) = \frac{9x - 4}{x - 8}$$

- A) y = 8
- C) y = 9

- B) y = 0
- D) no horizontal asymptotes

Answer: C

171)
$$h(x) = 6 - \frac{5}{x}$$

- A) x = 0
- C) y = 5

- B) y = 6
- D) no horizontal asymptotes

Answer: B

172)
$$g(x) = \frac{x^2 + 6x - 5}{x - 5}$$

- A) y = 5
- C) y = 1

- B) y = 0
- D) no horizontal asymptotes

Answer: D

173)
$$h(x) = \frac{8x^2 - 2x - 8}{6x^2 - 8x + 5}$$

- A) $y = \frac{1}{4}$
- C) y = 0

B) $y = \frac{4}{3}$

, 3

D) no horizontal asymptotes

Answer: B

174)
$$h(x) = \frac{5x^4 - 7x^2 - 6}{3x^5 - 5x + 2}$$

- A) $y = \frac{7}{5}$
- C) y = 0

B) $y = \frac{5}{3}$

B) $y = \frac{5}{3}$

D) no horizontal asymptotes

Answer: C

175)
$$h(x) = \frac{5x^3 - 2x}{3x^3 - 8x + 6}$$

- A) y = 0
- C) $y = \frac{1}{4}$

D) no horizontal asymptotes

Answer: B

176) h(x) =
$$\frac{8x^3 - 3x - 2}{6x^2 + 9}$$

176)

A)
$$y = 8$$

$$B) y = 0$$

C)
$$y = \frac{4}{3}$$

D) no horizontal asymptotes

Answer: D

177) $f(x) = \frac{2x+1}{x^2-49}$

177) _____

A)
$$y = -7$$
, $y = 7$

B) y = 2

C) no horizontal asymptotes

D) y = 0

Answer: D

178) R(x) = $\frac{-3x^2 + 1}{x^2 + 3x - 54}$

178) ____

A)
$$y = -9$$
, $y = 6$

B)
$$y = -3$$

C)
$$y = 0$$

D) no horizontal asymptotes

Answer: B

179) $f(x) = \frac{x^2 - 7}{49x - x^4}$

179) ____

A)
$$y = -7$$
, $y = 7$

B) no horizontal asymptotes

D) y = 0

180)

180)
$$f(x) = \frac{25x^4 + x^2 - 5}{x - x^3}$$

A)
$$y = 0$$

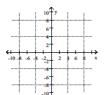
C)
$$y = -25$$

Answer: B

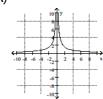
B) no horizontal asymptotes

D) y = -1, y = 1

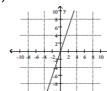
181)
$$f(x) = \frac{3}{x}$$



Δ,

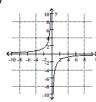


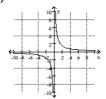
B)



181)

C,

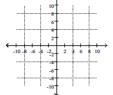




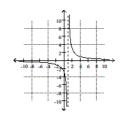
Answer: D

182)
$$f(x) = \frac{3}{x-1}$$





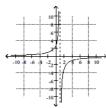
A)



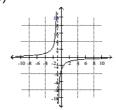
B)



C)



D)



Answer: A

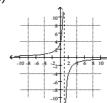
183)
$$f(x) = \frac{-4}{x+1}$$



A)

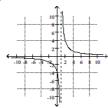


В

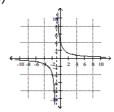


183) ____

C



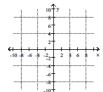
D,



Answer: A

184)
$$f(x) = \frac{6x + 1}{x}$$

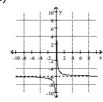




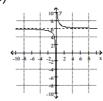
A`



B)

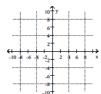






Answer: D

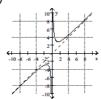
185)
$$f(x) = x + \frac{2}{x}$$



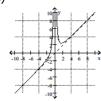
A)



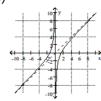
B)



C

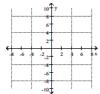


D,

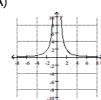


Answer: B

186)
$$f(x) = \frac{7}{x^2}$$



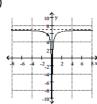
Λ



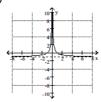
B)



C,



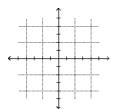
D



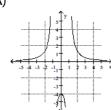
Answer: A

187)
$$f(x) = \frac{-4}{x^2 + 1}$$

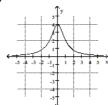
187)



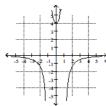
Λ



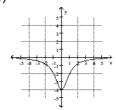
B



C)



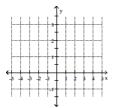
D,



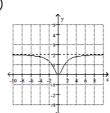
Answer: D

188)
$$f(x) = \frac{6}{x^2 + 2}$$

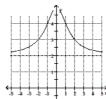
188)



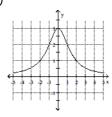
A)



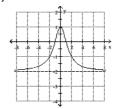
B)



C)



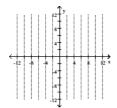
D)



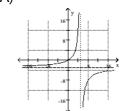
Answer: C

189) $f(x) = \frac{3x}{x-5}$

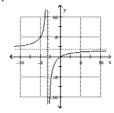
189)



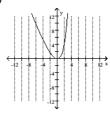
Α



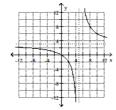
B)



C



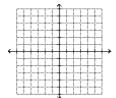
D)



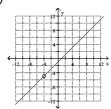
Answer: D

190)
$$f(x) = \frac{x-1}{x+4}$$

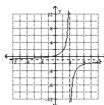
190)



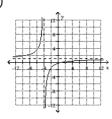
A)



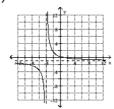
B)



C)



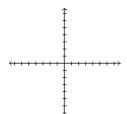
D)



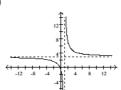
Answer: C

191)
$$f(x) = \frac{3x+1}{x-1}$$

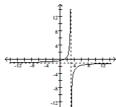




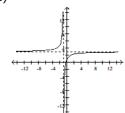
Δ



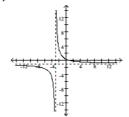
B)



C)



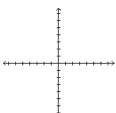
D)



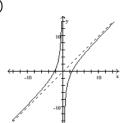
Answer: A

192)
$$f(x) = \frac{x}{x^2 - 36}$$

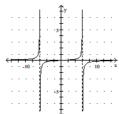




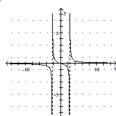
A)



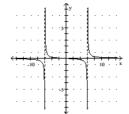
B)



C)

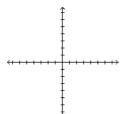


D)

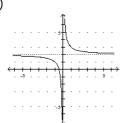


193)
$$f(x) = \frac{x-2}{x^2-4}$$

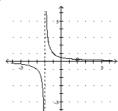




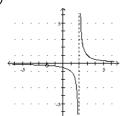
A)



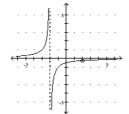
B)



C)



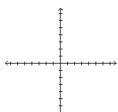
D)



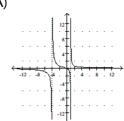
Answer: B

194)
$$f(x) = \frac{x^2 - 16}{x + 2}$$

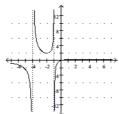




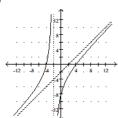
A)



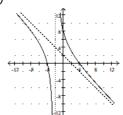
B)



C)



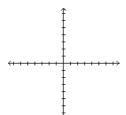
D)



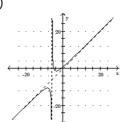
Answer: C

195)
$$f(x) = \frac{x^3}{x^2 - 36}$$

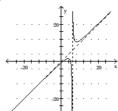




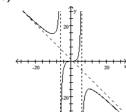
A)



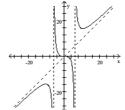
B)



C)

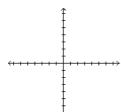


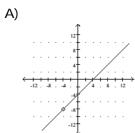
D)



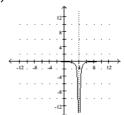
196)
$$f(x) = \frac{x^2 - 16}{x - 4}$$



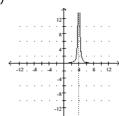




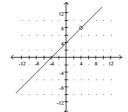
B)



C)

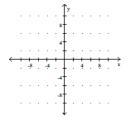


D)

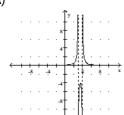


197)
$$f(x) = \frac{x+3}{x^2+7x+12}$$

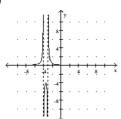


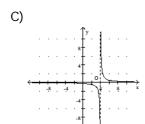


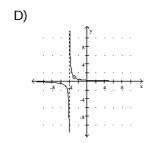
A)



B)



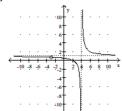




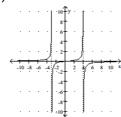
198)
$$f(x) = \frac{x^2 + x - 6}{x^2 - x - 12}$$

198) ____

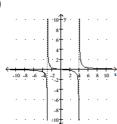
A)



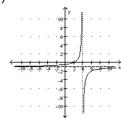
B)



C)

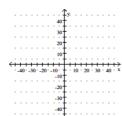


D)



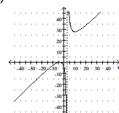
Answer: A

199)
$$f(x) = \frac{x^2 + 8x + 15}{x - 3}$$

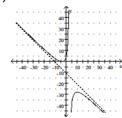


199)

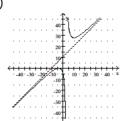
A)



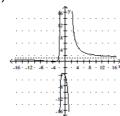
B)



C)

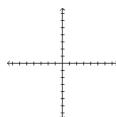


D)



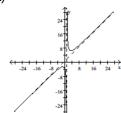
Answer: C

200)
$$f(x) = \frac{x^2 + 4}{x - 1}$$

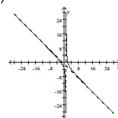


200) ____

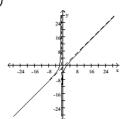
A)



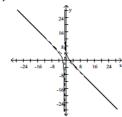
B)



C)



D)



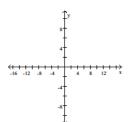
Answer: A

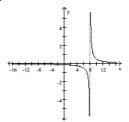
SHORT ANSWER. Write the word or phrase that best completes each statement or answers the question.

Sketch the graph of the function. Indicate where it is increasing and where it is decreasing. Indicate where any relative extrema occur, where asymptotes occur, where the graph is concave up and where is it concave down, where any points of inflection occur, and where any intercepts occur.

201)
$$f(x) = \frac{1}{x - 8}$$

201) _____





Decreasing on (∞, 8) and (8, ∞)

No relative extrema

Asymptotes: x = 8 and y = 0

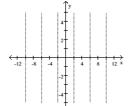
Concave down on $(\infty, 8)$; concave up on $(8, \infty)$

No points of inflection

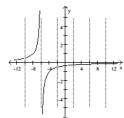
y-intercept: $\left(0, -\frac{1}{8}\right)$, no x-intercepts

202) $f(x) = \frac{-2}{x+6}$





Answer:



Increasing on (∞, -6) and (-6, ∞)

No relative extrema

Asymptotes: x = -6 and y = 0

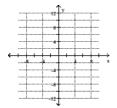
Concave up on (∞, -6); concave down on (-6, ∞)

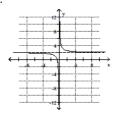
No points of inflection

y-intercept: $\left(0, -\frac{1}{3}\right)$, no x-intercepts

203)
$$f(x) = \frac{2x+1}{x}$$







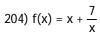
Decreasing on $(\infty, 0)$ and $(0, \infty)$ No relative extrema

Asymptotes: x = 0 and y = 2

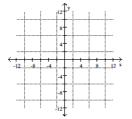
Concave down on $(\infty, 0)$; concave up on $(0, \infty)$

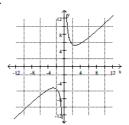
No points of inflection

x-intercept: $\left(-\frac{1}{2}, 0\right)$, no y-intercepts

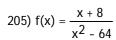




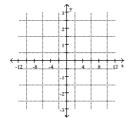


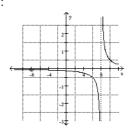


Increasing on $(\infty, -\sqrt{7}]$ and $[\sqrt{7}, \infty)$; decreasing on $[-\sqrt{7}, 0)$ and $(0, \sqrt{7}]$ Relative minimum at $(\sqrt{7}, 2\sqrt{7})$, relative maximum at $(-\sqrt{7}, -2\sqrt{7})$ Vertical asymptote: x = 0; slant asymptote: y = x Concave down on $(\infty, 0)$; concave up on $(0, \infty)$ No points of inflection No intercepts









Decreasing on (∞, -8), (-8, 8), and (8, ∞)

No relative extrema

Asymptotes: x = 8 and y = 0

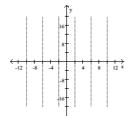
Concave down on $(\infty, -8)$ and (-8, 8); concave up on $(8, \infty)$

No points of inflection

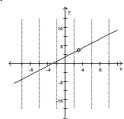
y-intercept: $\left(0, -\frac{1}{8}\right)$, no x-intercept

206)
$$f(x) = \frac{x^2 - 9}{x - 3}$$

206) _____



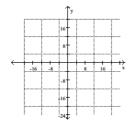
Answer:

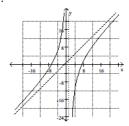


Increasing on $(\infty, 3)$, and $(3, \infty)$ No relative extrema No asymptotes No concavity No points of inflection y-intercept: (0, 3), x-intercept: (-3, 0)

207)
$$f(x) = \frac{x^2 - 49}{x - 1}$$







Increasing on (∞, 1), and (1, ∞)

No relative extrema

Asymptotes: x = 1 and y = x + 1

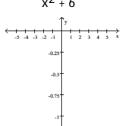
Concave up on $(\infty, 1)$; concave down on $(1, \infty)$

No points of inflection

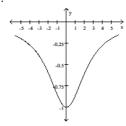
y-intercept: (0, 49), x-intercepts: (-7, 0) and (7, 0)

208) $f(x) = \frac{-6}{x^2 + 6}$

208)



Answer:



Decreasing on $(\infty, 0]$; increasing on $[0, \infty)$

Relative minimum at (0, -1)

Asymptote: y = 0

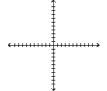
Concave down on $(\infty, -\sqrt{2})$ and $(\sqrt{2}, \infty)$; concave up on $(-\sqrt{2}, \sqrt{2})$

Points of inflection: $\left(-\sqrt{2}, -\frac{3}{4}\right), \left(\sqrt{2}, -\frac{3}{4}\right)$ y-intercept: (0, -1); no x-intercept

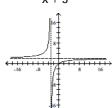
MULTIPLE CHOICE. Choose the one alternative that best completes the statement or answers the question.

Determine a rational function that meets the given conditions, and sketch its graph.

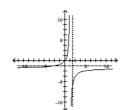
209) The function f has a vertical asymptote at x = -3, a horizontal asymptote at y = 2, and f(0) = 0.



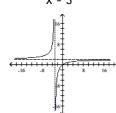
A)
$$f(x) = \frac{2x}{x+3}$$



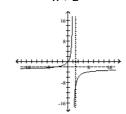
B)
$$f(x) = \frac{-3x}{x-2}$$



C)
$$f(x) = \frac{2x}{x-3}$$



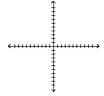
D)
$$f(x) = \frac{-3x}{x+2}$$



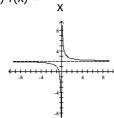
210)

Answer: A

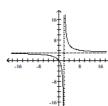
210) The function f has a vertical asymptote at x = 0, a horizontal asymptote at y = 2, and f(1) = 3.



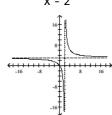
A)
$$f(x) = \frac{2x+1}{x}$$



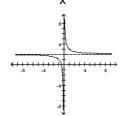
B)
$$f(x) = \frac{3x}{x+2}$$



C)
$$f(x) = \frac{3x}{x-2}$$

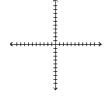


D)
$$f(x) = \frac{2x - 1}{x}$$

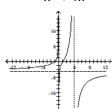


Answer: A

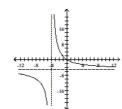
211) The function f has vertical asymptotes at x = -4 and x = 0, a horizontal asymptote at y = -5, and f(1) 211) ______ = 0.



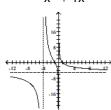
A)
$$f(x) = \frac{-5x^2 + 5}{x^2 + 4x}$$



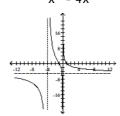
B)
$$f(x) = \frac{-5x^2}{x^2 + 4x}$$



C)
$$f(x) = \frac{-5x^2 + 5}{x^2 + 4x}$$



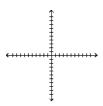
D)
$$f(x) = \frac{-5x^2 + 5}{x^2 - 4x}$$



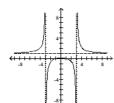
Answer: C

212) The function g has vertical asymptotes at x = -3 and x = 3, a horizontal asymptote at y = 1, x-intercepts at x = -1 and x = 1, and $g(0) = \frac{1}{9}$.

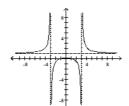




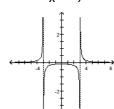
A)
$$g(x) = \frac{x^2 - 1}{x^2 - 9}$$



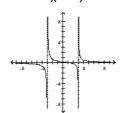
B)
$$g(x) = \frac{x-1}{x^2-9}$$



C) g(x) =
$$\frac{1}{x^2 - 9}$$



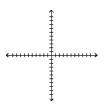
D) g(x) =
$$\frac{x-1}{x^2-9}$$



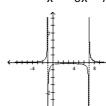
Answer: A

213) The function g has vertical asymptotes at x = -1 and x = 7, a horizontal asymptote at y = 0, x-intercept at x = 1, and $g(0) = \frac{1}{7}$.

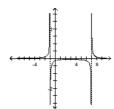




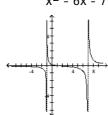
A) g(x) =
$$\frac{1}{x^2 - 6x - 7}$$



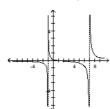
B)
$$g(x) = \frac{x-1}{x^2-6x-7}$$



C) g(x) =
$$\frac{x-1}{x^2-6x-7}$$



D) g(x) =
$$\frac{1}{x^2 - 6x - 7}$$



Answer: C

Solve the problem.

214) Suppose that the value V of a certain product decreases, or depreciates, with time t, in months, wher 214)

$$V(t) = 34 - \frac{16t^2}{(t+2)^2}.$$

Find $\lim_{t\to\infty} V(t)$.

Answer: B

215) Suppose that the value V of a certain product decreases, or depreciates, with time t, in months, wher 215)

$$V(t) = 100 - \frac{20t^2}{(t+2)^2}.$$

 $\begin{array}{cc} Find & Iim & V(t). \\ & t \twoheadrightarrow \end{array}$

216) Suppose that the total-cost function for a certain company to produce x units of a product is given b 216)

 $C(x) = 3x^2 + 50.$

Find the slant asymptote for the graph of the average cost function A(x) = C(x)/x.

- A) y = 3x
- B) $y = 3x^2$
- C) y = 3x + 50
- D) y = 6x

Answer: A

217) Suppose that the total-cost function for a certain company to produce x units of a product is given by $C(x) = 4x^2 + 30$. Graph the average cost function A(x) = C(x)/x.



A)

B)

C)

D)

Suppose that the cost C of removing p% of the pollutants from a chemical dumping site is given by $C(p) = \frac{\$20,000}{100 - p}.$	218)
Can a company afford to remove 100% of the pollutants? Explain. A) Yes, the cost of removing p% of the pollutants is \$20,000, which is certainly affordable. B) No, the cost of removing p% of the pollutants increases without bound as p approaches 100. C) No, the cost of removing p% of the pollutants is \$200, which is a prohibitive amount of money. D) Yes, the cost of removing p% of the pollutants is \$200, which is certainly affordable.	
Answer: B	
Suppose that the cost C of removing p% of the contaminants from the site of a small chemical spill is by $C(p) = \frac{$2000}{100 - p}.$	219)
Find lim C(p). p-₹00° A) \$20	
B) As p approaches 100, C(p) increases without bound.C) \$2000D) \$400	
Answer: B	
After an injection, the amount of a medication A in the bloodstream decreases with time t, in hours. Suppose that under certain conditions A is given by	220)
$A(t) = \frac{A_0}{t^2 + 1},$	
where A_0 is the initial amount of the medication given. Assume that an initial amount of 20.0 cc is	
injected. According to this function, does the medication ever completely leave the bloodstream? A) No B) Yes	
Answer: A	
After an injection, the amount of a medication A in the bloodstream decreases with time t, in hours. Suppose that under certain conditions A is given by $A(t) = \frac{A_0}{0.5t^2 + 1},$	221)
$0.5t^2 + 1$ where A_0 is the initial amount of the medication given. Assume that an initial amount of 54.0 cc is injected.	
Find lim A(t).	

B) A₀

D) A(t) increases without bound

A) 0

C) 2A₀

222) In baseball, a pitcher's earned-run average (the average number of runs given up every 9 innings, or 222) game) is given by

$$E = 9 \cdot \frac{n}{i},$$

where n is the number of earned runs allowed and i is the number of innings pitched. Suppose we fi number of earned runs allowed at 3 and let i vary.

Find $\lim_{i\to 0^+} E(i)$.

A) 0

B) ∞

C) 3

D) 9

223)

Answer: B

- 223) In baseball, a pitcher's earned-run average (the average number of runs given up every 9 innings, or 1 game) is given by E = 9 (n/i), where n is the number of earned runs allowed and i is the number of innings pitched. Suppose we fix the number of earned runs allowed at 6 and let i vary.
 - a) Complete the following table, rounding to two decimal places.

Innings pitched (i)	ERA (E)
18	
14	
10	
6	
2	
2/3	
1/3	

- b) Find $\lim_{i\to 0^+} E(i)$.
- c) On the basis of Parts (a) and (b), determine a pitcher's earned-run average if 6 runs were allowed and there were 0 outs.

A)

Innings pitched (i)	ERA (E)
18	3
14	3.86
10	5.4
6	9
2	27
2/3	81
1/3	162

162; 324

B)

Innings pitched (i)	ERA (E)
18	3
14	3.86
10	5.4
6	9
2	27
2/3	81
1/3	162

∞; 0

C

Innings pitched (i)	ERA (E)
18	3
14	3.86
10	5.4
6	9
2	27
2/3	81
1/3	162
	•

Answer: C

D)

Innings pitched (i)	ERA (E)
18	3
14	3.86
10	5.4
6	9
2	27
2/3	81
1/3	162

-∞; -∞

Find the limit, if it exists.

224)
$$\lim_{X \to \infty} \frac{3x - 5}{16x}$$

A) -5

B) $\frac{3}{16}$

C) -4

D) $\frac{1}{8}$

Answer: B

Answer: B

226)
$$\lim_{x \to \infty} \frac{5 - 3x}{10 - 7x^2}$$

A) $\frac{3}{7}$

B) $\frac{1}{2}$

C) 0

D) Does not exist

Answer: C

227)
$$\lim_{X \to \infty} \frac{5x+1}{12x-7}$$

A) ∞

B) 0

- C) $-\frac{1}{7}$
- D) $\frac{5}{12}$

Answer: D

228)
$$\lim_{x \to \infty} \frac{5x^3 + 4x^2}{6x^2 - x}$$

A) $\frac{2}{3}$

B) ∞

C) 5

D) 0

Answer: B

229)
$$\lim_{x \to \infty} \frac{3x - 5x^2 + 7x^3}{5 - 2x - x^3}$$

A) ∞

B) -7

C) 7

D) $\frac{3}{2}$

Answer: B

230)
$$\lim_{x \to \infty} \frac{5x^3 + 4x^2}{5x^2 - x}$$

A) $\frac{4}{5}$

B) -5

C) 0

D) -∞

Answer: D

231) $\lim_{x \to \infty} \frac{3x^3 + 4x^2}{x - 6x^2}$ 231) _____

B) $-\frac{2}{3}$ **A)** -∞ **C)** ∞ D) 3

Answer: C

232) $\lim_{X \to \infty} \frac{5 - 3x^2}{12 - 5x}$ 232) _____

A) $\frac{3}{5}$ B) $\frac{5}{12}$ **C)** ∞ D) ∞

Answer: D

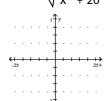
233) $\lim_{x\to\infty} \frac{7x^5 - 6x^2 + 10}{3 - 2x - x^4}$ 233) _____

A) 7 B) -∞ C) -7 **D)** ∞

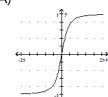
Answer: D

234)
$$f(x) = \frac{x}{\sqrt{x^2 + 20}}$$





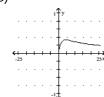
A)



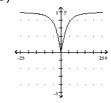
B)



C'

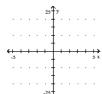


D)

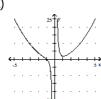


235)
$$f(x) = x^2 + \frac{1}{x^3}$$

235)



Δ



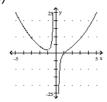
B)



 C^{1}

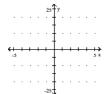


D)

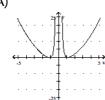


236)
$$f(x) = x^2 + \frac{1}{x^4}$$

236) _____



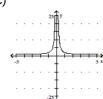
A)



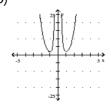
B)



C)

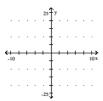


D)

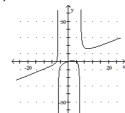


Answer: B

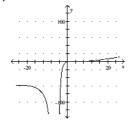
237)
$$f(x) = \frac{x(x+6)(x-4)}{(x-6)(x+5)}$$



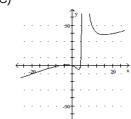
A)



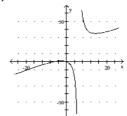
B)



C)



D)

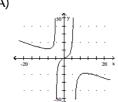


238)
$$f(x) = \frac{x^3 + x^2 - 20x}{x^2 - x - 20}$$

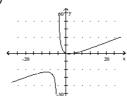




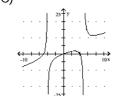
A`



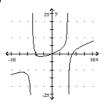
B)



C

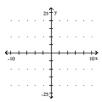


D,

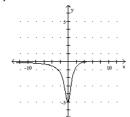


Answer: C

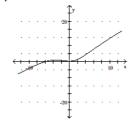
239)
$$f(x) = \frac{x^3 + 6x^2 + x + 6}{x^2 + x - 30}$$



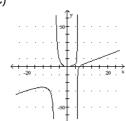
A)



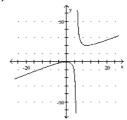
B)



C)



D)



240)
$$f(x) = \left| \frac{1}{x} - 1 \right|$$

240) _____

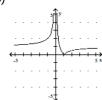
A)



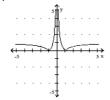
B)



C)



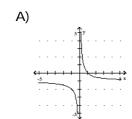
D)

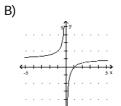


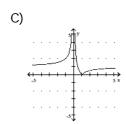
Answer: C

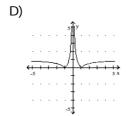
241)
$$f(x) = \left| 1 - \frac{1}{x} \right|$$







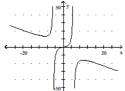


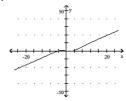


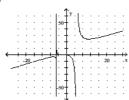
Answer: C

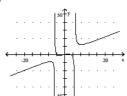
242)
$$f(x) = \frac{x^3 + x^2 - 12x}{x^2 - 25}$$











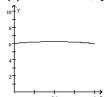
Answer: D

Find the absolute maximum and absolute minimum values of the function, if they exist, over the indicated interval, and indicate the x-values at which they occur.

243)

244) ____

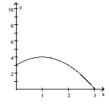
243)
$$f(x) = 6 + x - x^2$$
; [0, 1]



- A) Absolute maximum = 6.25 at x = 0.5; absolute minimum = 6 at x = 0 and x = 1
- B) Absolute maximum = 6.5 at x = 0.5; absolute minimum = 4 at x = 0
- C) Absolute maximum = 6.75 at x = 1 and x = 2; absolute minimum = 6 at x = 0.5
- D) Absolute maximum = 6.5 at x = 0.5; absolute minimum = 6 at x = 0 and x = 1

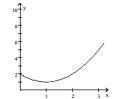
Answer: A

244)
$$f(x) = 3 + 2x - x^2$$
; [0, 3]



- A) Absolute maximum = 2 at x = 2; absolute minimum = 0 at x = 0
- B) Absolute maximum = 4 at x = 1; absolute minimum = 0 at x = 3
- C) Absolute maximum = 5 at x = 1; absolute minimum = 0 at x = 3
- D) Absolute maximum = 4 at x = 1; absolute minimum = 3 at x = 0

245) $f(x) = x^2 - 2x + 2$; [0, 3]

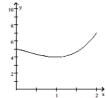


245)

- A) Absolute maximum = 5 at x = 3; absolute minimum = 3 at x = 0
- B) Absolute maximum = 2 at x = 0; absolute minimum = 1 at x = 1
- C) Absolute maximum = 5 at x = 3; absolute minimum = 1 at x = 1
- D) Absolute maximum = 2 at x = 0; absolute minimum = 3 at x = 3

Answer: C

246) $f(x) = x^3 - x^2 - x + 5$; [0, 2]

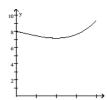


246)

- A) Absolute maximum = 5 at x = 0; absolute minimum = 4 at x = 1
- B) Absolute maximum = 7 at x = 2; absolute minimum = 5.2 at x = 0
- C) Absolute maximum = 5.2 at x = 2; absolute minimum = 4 at x = 0
- D) Absolute maximum = 7 at x = 2; absolute minimum = 4 at x = 1

Answer: D

247)
$$f(x) = \frac{2}{3}x^3 - \frac{1}{2}x^2 - x + 8$$
; [0, 2]



247)

248)

- A) Absolute maximum = 9.33 at x = 2; absolute minimum = 7.17 at x = 1 B) Absolute maximum = 8.29 at x = 0; absolute minimum = 7.17 at x = 1
- C) Absolute maximum = 8 at x = 2; absolute minimum = 7.17 at x = 1
- D) Absolute maximum = 9.33 at x = 2; absolute minimum = 8.29 at x = 0

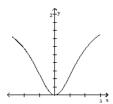
Answer: A

248)
$$f(x) = x^3 - \frac{1}{2}x^2 - 2x + 5$$
; [0, 2]



- A) Absolute maximum = 5 at x = 2; absolute minimum = 3.5 at x = 1
- B) Absolute maximum = 4.0 at x = 0; absolute minimum = 3.5 at x = 2
- C) Absolute maximum = 7 at x = 2; absolute minimum = 3.5 at x = 1
- D) Absolute maximum = 7 at x = 0; absolute minimum = 4.0 at x = 1

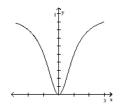
249)
$$f(x) = \frac{2x^2}{x^2 + 3}$$
; [-3, 3]



- A) Absolute maximum = 1.5 at x = -3; absolute minimum = -1.5 at x = 3
- B) Absolute maximum = 2 at x = -3 and x = 3; absolute minimum = 0 at x = 0
- C) Absolute maximum = 1.5 at x = -3 and x = 3; absolute minimum = 0 at x = 0
- D) Absolute maximum = 1 at x = 3; absolute minimum = 0 at x = 0

Answer: C

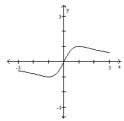
250)
$$f(x) = \frac{x^2}{x^2 + 1}$$
; [-3, 1]



- A) Absolute maximum = 0.5 at x = -3; absolute minimum = 0 at x = 0
- B) Absolute maximum = 0.9 at x = 2; absolute minimum = -3 at x = 0
- C) Absolute maximum = 1 at x = -3; absolute minimum = -3 at x = 2
- D) Absolute maximum = 0.9 at x = -3; absolute minimum = 0 at x = 0

Answer: D

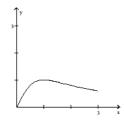
251)
$$f(x) = \frac{2x}{x^2 + 1}$$
; [-3, 3]



- A) Absolute maximum = 0.6 at x = -1; absolute minimum = 0 at x = 0
- B) Absolute maximum = 0.6 at x = 1; absolute minimum = -0.6 at x = -1
- C) Absolute maximum = 1 at x = 1; absolute minimum = 0 at x = 0
- D) Absolute maximum = 1 at x = 1; absolute minimum = -1 at x = -1

Answer: D

252)
$$f(x) = \frac{2x}{x^2 + 1}$$
; [0, 3]



- A) Absolute maximum = 0 at x = 0; absolute minimum = -0.6 at x = 1
- B) Absolute maximum = 1 at x = 1; absolute minimum = -1 at x = 0
- C) Absolute maximum = 0.6 at x = 1; absolute minimum = 0 at x = 0
- D) Absolute maximum = 1 at x = 1; absolute minimum = 0 at x = 0

Answer: D

Find the absolute maximum and absolute minimum values of the function, if they exist, over the indicated interval. When no interval is specified, use the real line (∞ , ∞).

253)
$$f(x) = -24$$
; $[-9, 9]$

- A) Absolute maximum: 24, absolute minimum: 0
- B) Absolute maximum: 24, absolute minimum: -24
- C) Absolute maximum: -24, absolute minimum: -24
- D) There are no absolute extrema.

254) f(x) = 6x - 3; [-3, 3]

254)

- A) Absolute maximum: 15, absolute minimum: -21
- B) There are no absolute extrema.
- C) Absolute maximum: -3, absolute minimum: 3
- D) Absolute maximum: 18, absolute minimum: -18

Answer: A

255) f(x) = -3 - 2x; [-7, 5]

255)

- A) There are no absolute extrema
- B) Absolute maximum: 11, absolute minimum: -13
- C) Absolute maximum: 17, absolute minimum: -7
- D) Absolute maximum: -13, absolute minimum: -17

Answer: B

256) $f(x) = 3x^2 - 4x^3$; [0, 6]

256)

- A) Absolute maximum: $\frac{1}{4}$, absolute minimum: -756
- B) No absolute maximum, absolute minimum: -756
- C) Absolute maximum: 1, absolute minimum: 0
- D) Absolute maximum: $\frac{1}{4}$, absolute minimum: 0

Answer: A

257) $f(x) = x^4 - 5x^3$; [-5,5]

257)

- A) Absolute maximum: 1250, absolute minimum: 0
- B) Absolute maximum: 1250, absolute minimum: $-\frac{16875}{256}$
- C) Absolute maximum: 0, absolute minimum: $-\frac{16875}{256}$
- D) Absolute maximum: 625, absolute minimum: $-\frac{16875}{64}$

Answer: B

258)
$$f(x) = x + \frac{16}{x}$$
; [-6, -1]

258)

- A) Absolute maximum: -8, absolute minimum: - $\frac{26}{3}$
- B) Absolute maximum: -8, absolute minimum: -17
- C) Absolute maximum: -8, absolute minimum: -15
- D) Absolute maximum: $-\frac{26}{3}$, absolute minimum: -17

259)
$$f(x) = \frac{1}{3}x^3 - 3x$$
; [-6, 6]

- A) Absolute maximum: 54, absolute minimum: -3.46
- B) Absolute maximum: 3.46, absolute minimum: -3.46
- C) Absolute maximum: 54, absolute minimum: 54
- D) Absolute maximum: 3.46, absolute minimum: 54

Answer: C

260)
$$f(x) = \frac{1}{4}x^4 - x$$
; [-4, 4]

- A) Absolute maximum: 60, absolute minimum: $-\frac{3}{4}$
- B) Absolute maximum: $\frac{3}{4}$, absolute minimum: $-\frac{3}{4}$
- C) Absolute maximum: 68, absolute minimum: 60
- D) Absolute maximum: 68, absolute minimum: $-\frac{3}{4}$

Answer: D

Find the absolute maximum and absolute minimum values of the function, if they exist, on the indicated interval.

261)
$$f(x) = x^3 + \frac{1}{2}x^2 - 4x + 2$$
; [-9, 0]

- A) There are no absolute extrema.
- B) Absolute maximum: $\frac{158}{27}$, absolute minimum: $-\frac{1301}{2}$
- C) Absolute maximum: $\frac{286}{27}$, absolute minimum: $\frac{1615}{2}$
- D) Absolute maximum: $-\frac{1301}{2}$, absolute minimum: $\frac{158}{27}$

Answer: B

262)
$$f(x) = x^2 - 8x + 17$$
; [0, 6]

- A) Absolute maximum: 17, absolute minimum: 1
- B) Absolute maximum: 1
- C) Absolute maximum: 17, absolute minimum: 5
- D) Absolute maximum: 5, absolute minimum: 1

Answer: A

263)
$$f(x) = x^3 - 3x + 5$$
; [-1, 5]

- A) Absolute maximum: 3, absolute minimum: 1
- B) Absolute minimum: 1
- C) Absolute maximum: 115
- D) Absolute maximum: 115, absolute minimum: 3

Answer: D

264)
$$f(x) = -5 - 4x - 2x^2$$
; [-2, 1]

264)

- A) Absolute maximum: 7; absolute minimum: -5
- B) Absolute maximum: -3; absolute minimum: -11
- C) Absolute maximum: -5, absolute minimum: -11
- D) Absolute maximum: 7

Answer: B

265)
$$f(x) = x^4 - 32x^2 + 1$$
; [-5, 5]

265)

- A) Absolute maximum: 0, absolute minimum: -255
- B) Absolute maximum: 1, absolute minimum: -255
- C) Absolute maximum: -255
- D) Absolute minimum: 0

Answer: B

266)
$$f(x) = 2 - x^{2/3}$$
; [-64, 64]

266)

- A) Absolute maximum: 64, absolute minimum: -64
- B) Absolute maximum: 2
- C) There are no absolute extrema.
- D) Absolute maximum: 2, absolute minimum: -14

Answer: D

267)
$$f(x) = -\frac{2}{x^2}$$
; [0.5, 5]

267)

- A) Absolute maximum = $\frac{2}{25}$, absolute minimum = -8
- B) Absolute maximum: $-\frac{2}{25}$, absolute minimum: -8
- C) Absolute maximum = 5, absolute minimum = $-\frac{1}{2}$
- D) Absolute maximum = $\frac{1}{2}$, absolute minimum = -8

Answer: B

268)
$$f(x) = -x^2 + 11x - 30$$
: [6, 5]

268) ____

- A) Absolute maximum: $\frac{1}{4}$; absolute minimum: $\frac{1}{4}$
- B) Absolute maximum: $\frac{1}{4}$; absolute minimum: 0
- C) Absolute maximum: $\frac{5}{4}$; absolute minimum: 0
- D) Absolute maximum: $\frac{241}{4}$; absolute minimum: $\frac{1}{4}$

269) $F(x) = \sqrt[3]{x}$; [0, 8]

269)

- A) Absolute maximum: 2, absolute minimum: 0
- B) Absolute maximum: 2, absolute minimum: -2
- C) Absolute maximum: 0, absolute minimum: -2
- D) Absolute maximum: 8, absolute minimum: 0

Answer: A

Find the absolute maximum and absolute minimum values of the function, if they exist, over the indicated interval. When no interval is specified, use the real line (∞ , ∞).

270) f(x) = x(30 - x)

270) _____

- A) No absolute maximum; absolute minimum: 15
- B) Absolute maximum: 15; no absolute minimum
- C) Absolute maximum: 225; no absolute minimum
- D) Absolute maximum: 225; absolute minimum: 0

Answer: C

271) f(x) = 6x + 5; [-3, 2)

271)

- A) Absolute maximum: 17, no absolute minimum
- B) No absolute maximum, absolute minimum: -13
- C) Absolute maximum: 17, absolute minimum: -13
- D) No absolute extrema.

Answer: B

272) $f(x) = 2x^2 - 12x + 75$

272) ____

- A) No absolute maximum; absolute minimum: 57;
- B) Absolute maximum: 129; absolute minimum: 57
- C) Absolute maximum: 57; no absolute minimum
- D) No absolute extrema

Answer: A

273) $f(x) = 20x - x^2$

273) _____

- A) No absolute maximum; absolute minimum: 10;
 - B) Absolute maximum: 100; absolute minimum: 0
 - C) Absolute maximum: 100; no absolute minimum
 - D) Absolute maximum: 200; no absolute minimum

Answer: C

274) $f(x) = x^3 + x^2 - 5x + 6$; (0, ∞)

274) ____

- A) No absolute maximum; absolute minimum: 3
- B) Absolute maximum: 6; no absolute minimum
- C) Absolute maximum: 11; absolute minimum: 3
- D) No absolute extrema

Answer: A

275)
$$f(x) = -x^3 - x^2 + 5x - 9$$
; $(0, \infty)$

275)

- A) Absolute maximum: -6; no absolute minimum
- B) Absolute maximum: -9; absolute minimum: -14
- C) No absolute maximum; absolute minimum: -14
- D) No absolute extrema

Answer: A

276)
$$f(x) = x^3 - 3x^2 + 3$$
; $(0, \infty)$

276)

- A) Absolute maximum: 3; absolute minimum = -1
- B) Absolute maximum: 3; no absolute minimum
- C) No absolute maximum; absolute minimum = -1
- D) No absolute extrema

Answer: C

277)
$$f(x) = \frac{2}{3}x^3 + \frac{3}{2}x^2 - 27x + 2$$
; (0, ∞)

277) ____

- A) No absolute maximum; absolute minimum = $-\frac{95}{2}$
- B) Absolute maximum = $\frac{745}{8}$; no absolute minimum
- C) Absolute maximum = $\frac{745}{8}$; absolute minimum = $-\frac{95}{2}$
- D) No absolute extrema

Answer: A

278)
$$f(x) = \frac{2}{3}x^3 - 2x^2 - 6x + 2$$

278)

- A) Absolute maximum = $\frac{16}{3}$; absolute minimum = 16
- B) Absolute maximum = $\frac{16}{3}$; no absolute minimum
- C) No absolute maximum; absolute minimum = 16
- D) No absolute extrema

Answer: D

279)
$$f(x) = \frac{2}{3}x^3 + \frac{3}{2}x^2 - 27x + 2$$
; (∞ , 0)

279)

- A) Absolute maximum = $\frac{745}{8}$; absolute minimum = $-\frac{95}{2}$
- B) No absolute maximum; absolute minimum = $-\frac{95}{2}$
- C) Absolute maximum = $\frac{745}{8}$; no absolute minimum
- D) No absolute extrema

280)
$$f(x) = x + \frac{196}{x}$$
; (0, ∞)

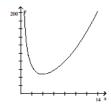
280)

- A) Absolute maximum: -28; absolute minimum: 28
- B) No absolute maximum; absolute minimum: 28
- C) Absolute maximum: -28; no absolute minimum
- D) No absolute extrema

Answer: B

281)
$$f(x) = x^2 + \frac{128}{x}$$
; (0, ∞)

281)

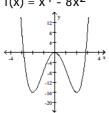


- A) No absolute maximum; absolute minimum: 48
- B) Absolute maximum: 196; absolute minimum: 4
- C) No absolute maximum; absolute minimum: 4
- D) No absolute extrema

Answer: A

282)
$$f(x) = x^4 - 8x^2$$

282) ____



- A) Absolute maximum: 0; no absolute minimum
- B) No absolute maximum; absolute minimum: -16
- C) Absolute maximum: 0; absolute minimum: -16
- D) No absolute extrema

283) $f(x) = (x - 3)^3$

- A) Absolute maximum: 3; no absolute minimum
- B) No absolute maximum: 0; absolute minimum: 3
- C) Absolute maximum: 3; absolute minimum: 0
- D) No absolute extrema

Answer: D

284) f(x) = 3x + 5 284)

- A) No absolute maximum; absolute minimum: 3
- B) Absolute maximum: 3; no absolute minimum
- C) Absolute maximum: 5; no absolute minimum
- D) No absolute extrema

Answer: D

285)
$$f(x) = -\frac{1}{3}x^3 + 4x - 1$$
; (∞ , 0)

- A) Absolute maximum: 2; absolute minimum: -2
- B) No absolute maximum; absolute minimum: -6.3
- C) Absolute minimum: -4.3; absolute maximum: 6.3
- D) No absolute extrema

Answer: B

Solve the problem.

286)
$$P(x) = -x^3 + \frac{27}{2}x^2 - 60x + 100$$
, $x \ge 5$ is an approximation to the total profit (in thousands of dollars)

from the sale of x hundred thousand tires. Find the number of tires that must be sold to maximize profit.

- A) 550,000
- B) 500,000
- C) 450,000
- D) 500,000

287)

Answer: B

287) $S(x) = -x^3 + 6x^2 + 288x + 4000$, $4 \le x \le 20$ is an approximation to the number of salmon swimming upstream to spawn, where x represents the water temperature in degrees Celsius. Find the temperature that produces the maximum number of salmon. Round to the nearest tenth, if necessary.

A) 4°C

- B) 12°C
- C) 8°C

D) 20°C

Answer: B

288) The velocity of a particle (in $\frac{ft}{s}$) is given by $v = t^2 - 6t + 2$, where t is the time (in seconds) for which 288)

it has traveled. Find the time at which the velocity is at a minimum.

A) 3 s

B) 2 s

C) 1 s

D) 6 s

Answer: A

289) For a simply supported beam with a load that increases uniformly from left to right, the bending 289) moment M (in ft·lb) at a distance of x (in ft) from the left end is given by $M = \frac{1}{4}(wl^2x - wx^3)$. Determine the location of the maximum bending moment. In the formula, w is the rate of load increase $\left(in \frac{lb}{ft} \right)$ and I is the length (in ft) of the beam. B) $x = \frac{1\sqrt{2}}{2}$ C) $x = \frac{1\sqrt{3}}{3}$ D) $x = \frac{1}{3}$ A) $x = 1\sqrt{6}$ Answer: C 290) A truck burns fuel at the rate (gallons per mile) of $G(x) = \frac{1}{31} \left(\frac{81}{x} + \frac{x}{25} \right)$ while traveling at x mph. If fuel costs \$1.3 per gallon, find the speed that minimizes fuel cost for a 200-mile trip. A) 53 mph B) 56 mph C) 32.5 mph D) 45 mph Answer: D 291) The price P of a certain computer system decreases immediately after its introduction and then 291) increases. If the price P is estimated by the formula $P = 110t^2 - 1900t + 6300$, where t is the time in months from its introduction, find the time until the minimum price is reached. B) 17.3 months C) 34.5 months A) 8.6 months D) 9.5 months Answer: A 292) The cost of a computer system increases with increased processor speeds. The cost C of a system as 292) a function of processor speed is estimated as $C = 13S^2 - 7S + 1500$, where S is the processor speed in MHz. Find the processor speed for which cost is at a minimum. A) 2.2 MHz B) 0.4 MHz C) 0.3 MHz D) 5.4 MHz Answer: C 293) For a dosage of x cubic centimeters (cc) of a certain drug, assume that the resulting blood pressure 293) B is approximated by $B(x) = 0.03x^2 - 0.2x^3$. Find the dosage at which the resulting blood pressure is maximized. Round your answer to the nearest hundredth. A) 0.08 cc D) 0.23 cc B) 0.15 cc C) 0.10 cc Answer: C 294) Assume that the temperature T of a person during a certain illness is given by 294) $T(t) = -0.1t^2 + 1.3t + 98.6$, $0 \le t \le 12$ where T = the temperature (°F) at time t, in days. Find the maximum value of the temperature and when it occurs. Round your answer to the nearest tenth, if necessary. A) 101.3°F at 5.2 days B) 102.8°F at 6.5 days C) 101.8°F at 6.5 days D) 102.8°F at 3.9 days Answer: B 295) The total-revenue and total-cost functions for producing x clocks are $R(x) = 500x - 0.01x^2$ and 295) C(x) = 160x + 100,000, where $0 \le x \le 25,000$. What is the maximum annual profit?

Answer: B

A) \$2,890,000

C) \$2,990,000

D) \$3,090,000

B) \$2,790,000

-	i wnere the absolut rval [0, ∞).	e minimum value occurs fo	or the function $f(x) = (x - x)$	7)(x + 3) over the	296) _
) 2.3	B) 2.6	C) 2.0	D) 1.7	
Ans	wer: C				
-		mum value for the functior			297) _
) 5.6 wer: B	B) 4.9	C) 5.3	D) 4.6	
Alis	wei. B				
-		mum value for the function	n f(x) = x ² + 8x + 5 over th B) 12,368.4	e interval [3, ∞).	298) _
) 367.3) 150.8		D) There is no absolu	ute maximum	
	wer: D		2, 111010 10 110 42001	ato maximam.	
299) Find	d the absolute maxi	mum value for the function	$f(x) = x(x - 9)^{2/3}.$		299)
-) 8.5		B) 9.3		
С) 12.7		D) There is no absol	ute maximum.	
Ans	wer: D				
300) Find	d where the absolut	e minimum value occurs fo	or the function $f(x) = x(x - \frac{1}{2})$	8)2/3.	300)
) 8.0		B) 6.9		
) 7.7		D) There is no absolu	ute minimum.	
Ans	wer: D				
		mum value for the function			301)
) 6.9	B) 10.4	C) 8.2	D) 7.7	
Ans	wer: B				
e the prob					
•	II numbers whose s xy, where $x + y = 2$	sum is 270, find the two tha 70.	at have the maximum pro	duct. That is, maximize	302) _
) 1 and 269		C) 10 and 260	D) 135 and 135	
Ans	wer: D				
303) Max	kimize Q = x ² y, wh	ere x and y are positive nu	mbers, such that $x + y = 4$	80.	303)
Α	x = 160, y = 320	B) $x = 360$, $y = 120$	C) $x = 320$, $y = 160$	D) $x = 120$, $y = 360$	_
Ans	wer: C				
		difference is 2, find the two			304)
) 4 and 2	B) 1 and 3	C) 1 and -1	D) 0 and 2	_
Ans	wer: C				
305) Max	ximize Q = xy ² , wh	ere x and y are positive nu	mbers, such that $x + y^2 =$	4.	305)
		B) $x = 2, y = \sqrt{2}$		D) $x = 0, y = 2$	-

306) Maximize Q = xy, where x and y are positive numbers, such that $\frac{4}{3}x^2 + y = 9$.

306)

A) $x = \frac{9}{4}, y = 6$

B) $x = \sqrt{\frac{9}{2}}$, y = 3 C) x = 6, $y = \sqrt{\frac{9}{4}}$ D) $x = \sqrt{\frac{9}{4}}$, y = 6

Answer: D

307) For what positive number is the sum of its reciprocal and three times its square a minimum?

307)

Answer: A

308) Minimize $Q = 3x^2 + 5y^2$, where x + y = 8.

A) x = 0; y = 8

B) x = 8: y = 0

C) x = 3; y = 5

D) x = 5; y = 3

Answer: D

309) Minimize $Q = \sqrt{x} + \sqrt{y}$, where x + y = 16.

309)

308)

A) x = 8 and y = 8 or x = 16 and y = 0

B) x = 16 and y = 0 or x = 0 and y = 16

C) x = 4 and y = 4 or x = 0 and y = 0

D) x = 8 and y = 8

Answer: B

310) A carpenter is building a rectangular room with a fixed perimeter of 120 ft. What are the dimensions of the largest room that can be built? What is its area?

310)

A) 60 ft by 60 ft; 3600 ft²

B) 30 ft by 30 ft; 900 ft²

C) 12 ft by 108ft; 1296 ft²

D) 30 ft by 90 ft; 2700 ft²

Answer: B

311) Find the dimensions that produce the maximum floor area for a one-story house that is rectangular in shape and has a perimeter of 162 ft. Round to the nearest hundredth, if necessary.

311)

312)

A) 81 ft x 81 ft

B) 40.5 ft x 162 ft

C) 13.5 ft x 40.5 ft

D) 40.5 ft x 40.5 ft

Answer: D

312) An architect needs to design a rectangular room with an area of 89 ft². What dimensions should he use in order to minimize the perimeter? Round to the nearest hundredth, if necessary.

A) 9.43 ft x 22.25 ft

B) 9.43 ft x 9.43 ft

C) 17.8 ft x 89 ft

D) 22.25 ft x 22.25 ft

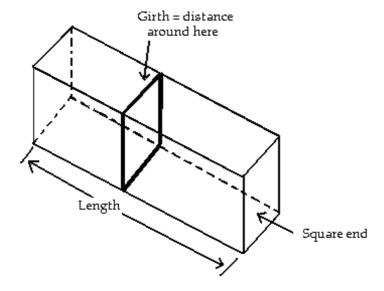
		ens with 64 feet of fence. The rn. The barn side needs no fe	pens will be next to each oth	313)	
	BARN				
What dimension	PENS ons for the total enclosure (r	ectangle including all pens) v	vill make the area as large as		
possible? A) 10.67 ft by C) 8 ft by 8 f	y 53.33 ft	B) 8 ft by 32 ft D) 16 ft by 16 ft	J		
		with a value of 1/ authin foot		21.4\	
twice as long a	s it is wide. Find the width	vith a volume of 16 cubic feet of the box that can be produc		314)	
amount of mat A) 4.2 ft	erial. Round to the nearest t B) 2.1 ft	enth, if necessary. C) 2.9 ft	D) 5.8 ft		
Answer: B					
folded up to m		in., square corners are cut ou s will yield a box of maximum centh, if pecessary		315)	
	in. by 2.5 in.; 62.5 in. ³	-	n. by 3.3 in.; 37 in. ³		
-	6.7 in. by 3.3 in.; 148.1 in. ³		n. by 1.7 in.; 74.1 in. ³		
Answer: D					
		quare-based, rectangular me he minimum surface area? R		316)	
A) 4.6 ft by 4	.6 ft. by 2.3 ft .2 ft. by 1.7 ft	B) 9.8 ft by 9.8 ft. D) 3.6 ft by 3.6 ft.	3		
Answer: A	.2 It. by 1.7 It	D) 3.0 ft by 3.0 ft.	by 3.0 ft		
317) A 33-in. piece	of string is cut into two piec	es. One piece is used to form	a circle and the other to	317)	
form a square.	How should the string be o	ut so that the sum of the area		·	_
	th, if necessary. ece = 0 in., circle piece = 33	in. B) Square piece :	= 8 in., circle piece = 25 in.		

D) Square piece = 8.2 in., circle piece = 7.7 in.

C) Circle piece = 8 in., square piece = 25 in.

318) A private shipping company will accept a box for domestic shipment only if the sum of its length and girth (distance around) does not exceed 102 in. What dimensions will give a box with a square end the largest possible volume?





- A) 34 in. x 34 in. x 34 in.
- C) 17 in. x 17 in. x 34 in.

- B) 17 in. x 17 in. x 85 in.
- D) 17 in. x 34 in. x 34 in.

Answer: C

319) A window is in the form of a rectangle surmounted by a semicircle. The rectangle is of clear glass, whereas the semicircle is of tinted glass that transmits only one-fifth as much light per unit area as clear glass does. The total perimeter is fixed. Find the proportions of the window that will admit the most light. Neglect the thickness of the frame.



- - A) $\frac{\text{width}}{\text{height}} = \frac{20}{10 + 4\pi}$
 - C) $\frac{\text{width}}{\text{height}} = \frac{20}{5 + 4\pi}$

Answer: A

- B) $\frac{\text{width}}{\text{height}} = \frac{5}{10 + 4\pi}$
- D) $\frac{\text{width}}{\text{height}} = \frac{20}{10 + \tau}$

320)	Find the number of units th	-	d and sold in order to yield	the maximum profit, give	320)
	following equations for rev	enue and cost:			
	$R(x) = 20x - 0.5x^2$				
	C(x) = 6x + 5. A) 14 units	B) 19 units	C) 15 units	D) 26 units	
	Answer: A	2, 1, 4	o, 10 u	_,	
321)	Find the number of units th	at must be produce	d and sold in order to yield	the maximum profit, give	321)
	following equations for revo R(x) = 3x	enue and cost:			
	$C(x) = 0.001x^2 + 0.7x + 10.$ A) 1850 units	B) 2300 units	C) 1150 units	D) 3700 units	
	Answer: C				
322)	Find the maximum profit g	iven the following r	evenue and cost functions:		322)
	$R(x) = 118x - x^2$				
	$C(x) = \frac{1}{3}x^3 - 9x^2 + 82x + 34$				
	where x is in thousands of u	units and R(x) and C	(x) are in thousands of dolla	ars.	
	A) 776 thousand dollars		B) 1330 thousand do		
	C) 1262 thousand dollars	•	D) 2234 thousand do	onar s	
	Answer: C				
323)	An appliance company determine $p = 420 - 0.3x$.	ermines that in orde	r to sell x dishwashers, the p	price per dishwasher mus	323)
	It also determines that the te	otal cost of producir	ng x dishwashers is given by	/	
	$C(x) = 5000 + 0.3x^2$.				
	How many dishwashers mu A) 700	ust the company pro B) 400	oduce and sell in order to m C) 350	aximize profit? D) 300	
	Answer: C				
324)	An appliance company dete	ermines that in orde	r to sell x dishwashers, the p	price per dishwasher mus	324)
	p = 420 - 0.4x. It also determines that the to	otal cost of producin	na v dishwashers is aiven hy	ı	
	$C(x) = 4000 + 0.8x^2$.	otal cost of producil	ig A distivudsiticis is giveir by	1	
	What is the maximum profi	it?			
	A) \$32,750	B) \$69,500	C) \$40,750	D) \$36,750	
	Answer: A				
325)	An appliance company dete	ermines that in orde	r to sell x dishwashers, the p	price per dishwasher mus	325)
	p = 600 - 0.3x.	otal cast of producin	na v dishwashars is aiyan by	,	
	It also determines that the tension $C(x) = 5000 + 0.7x^2$.	otal cost of producif	ig a distivuastiers is given by	1	
	$C(x) = 5000 + 0.7x^2$. What price must be charged	d per dishwasher in	order to maximize profit?		
	A) \$510	B) \$1020	C) \$490	D) \$480	
	Answer: A				

326)	A hotel has 300 units. All re every increase of x dollars i costs \$26 per day to service maximize daily profit?	n the daily room r	ate, there are x rooms vacar	nt. Each occupied room	326)
	A) \$178	B) \$128	C) \$185	D) \$198	
	Answer: D	,	,	,	
327)	An outdoor sports company Each reorder costs \$8, plus a store order kayaks in order	an additional \$6 fo	or each kayak ordered. In w	5	327)
	A) 32	B) 34	C) 36	D) 30	
	Answer: A				
328)	An outdoor sports company reorder costs \$10, plus an acthe store order kayaks in or	dditional \$8 for ea	ch kayak ordered. How ma	5	328)
	A) 14	B) 7	C) 15	D) 10	
	Answer: D	,	ŕ	·	
329)	If the price charged for a ca	ndy bar is p(x) cer	ts, then x thousand candy b	pars will be sold in a	329)
	certain city, where $p(x) = 12$	$\frac{x}{16}$. How man	y candy bars must be sold t	o maximize revenue?	
	A) 1984 candy bars C) 992 candy bars		B) 1984 thousand D) 992 thousand c		
	Answer: D				
330)	If the price charged for a bo	It is p cents, then a	thousand bolts will be solo	d in a certain hardware	330)
	store, where $p = 19 - \frac{x}{18}$. He	ow many bolts mu	ıst be sold to maximize reve	enue?	
	A) 171 boltsC) 342 thousand bolts		B) 171 thousand b D) 342 bolts	olts	
	Answer: B				
331)	A rectangular field is to be	enclosed on four s	ides with a fence. Fencing c	osts \$8 per foot for two	331)
	opposite sides, and \$5 per fe		vo sides. Find the dimensio	ns of the field of area 660	
	ft ² that would be the cheap A) 20.3 ft @ \$8 by 32.5 ft @	₱ \$5	B) 16.1 ft @ \$8 by 4		
	C) 32.5 ft @ \$8 by 20.3 ft @	₱ \$5	D) 41.1 ft @ \$8 by 7	16.1 ft @ \$5	
	Answer: A				
332)	A baseball team is trying to it averages 40,000 people pe the game spends an average	er game. For ever	increase of \$1, it loses 5,00	0 people. Every person at	332)
	to maximize revenue?	2 OL 40 OLL COLLCG221	ons. What price per tickets	should be charged in order	
	Δ) \$3.50	B) \$3.00	C) \$6.50	D) \$13.50	

333)	the hot dogs sell for \$2.50 e	m vending company finds that sales of hot dogs average 34,000 hot dogs per game when gs sell for \$2.50 each. For each 50 cent increase in the price, the sales per game drop by ogs. What price per hot dog should the vending company charge to realize the maximum (a) B) \$2.95 (b) \$0.90 (c) \$0.90 (d) \$3.20			
	A) \$3.40	B) \$2.95	C) \$0.90	D) \$3.20	
	Answer: B				
334)	Find the optimum number produced annually (in orde unit for one year, and it cos	er to minimize cost) if 130	,000 units are to be made,		334)
	A) 22 batches	B) 20 batches	C) 14 batches	D) 16 batches	
	Answer: B				
335)	A bookstore has an annual one copy for one year, and order.	-	•		335)
	A) 2698 copies	B) 3816 copies	C) 2428 copies	D) 3257 copies	
	Answer: A				
336)	A certain company produce be produced each year. It co the facility to produce a bat A) 100,000	osts \$12 per year to store a	a bag of potting soil, and it	costs \$2000 to set up	336)
	Answer: C				
337)	A local office supply store has costs \$4 per year to store a coptimum number of cases of the costs.	case of photocopier paper	, and it costs \$60 to place a		337)
	A) 173	B) 300,000	C) 387	D) 548	
	Answer: D				
338)	A company estimates that t	he daily revenue (in dolla	ars) from the sale of x cook	ies is given by	338)
	R(x) = 790 + 0.02x + 0.0006x				
	Currently, the company sel revenue if the company inc		_	imate the increase in	
	A) \$0.49	B) \$48.80	C) \$41.00	D) \$0.41	
	Answer: A				
339)	A grocery store estimates the of soup is given by	nat the weekly profit (in d	ollars) from the productio	n and sale of x cases	339)
	P(x) = -5600 + 9.8x - 0.0017 and currently 1100 cases are increase in profit if the store	e produced and sold per v			
	A) \$7.93	B) \$6.06	C) \$3123.00	D) \$5.52	

	-	rs) of producing x chocolate b	ars is given by	340)
Currently, the company p	roduces 510 chocolate l		st to estimate the	
A) \$54.00	B) \$0.34	C) \$0.54	D) \$33.60	
Answer: B				
The weekly profit, in dollar	ars, from the production	n and sale of x bicycles is give	n by	341)
$P(x) = 80.00x - 0.005x^2$				
		= -	_	
A) 72.00 dollars	B) 80.00 dollars	C) 10.00 dollars	D) 88.00 dollars	
Answer: A				
A company finds that who is given by	en it spends x million d	ollars on advertising, its profi	t P, in thousands of do	342)
$P(x) = 1180 + 35x - 4x^2$				
			•	
•		•		
Answer: B		,		
		vers is $C(x) = 130 + 6x - x^2 + 5$	x ³ . Find the	343)
A) \$328	B) \$238	C) \$458	D) \$368	
Answer: B				
The profit, in dollars, from	n the sale of x compact (disc players is $P(x) = x^3 - 5x^2$	+ 4x + 6. Find the	344)
.		a)	->	
•	B) \$590	C) \$204	D) \$210	
Allswei. C				
	· ·	ng x televisions is		345)
` '	•			
<u> </u>				
A) \$5841	B) \$6051	C) \$6045	D) \$5978	
A power. C				
Answer: C				
	profit, in dollars, of prod	ducing and selling x cars is		346)
Suppose that the weekly properties $P(x) = -0.005x^3 - 0.3x^2 + 90.005x^3$	980x - 1100,			346)
Suppose that the weekly properties $P(x) = -0.005x^3 - 0.3x^2 + 90$ and currently 60 cars are properties $P(x) = -0.005x^3 - 0.005x^3 + 90$	980x - 1100, produced and sold wee	ducing and selling x cars is kly. Use P(60) and the margir ducing and selling 63 cars. Ro	•	346)
	C(x) = 1035 + 0.03x + 0.000 Currently, the company princrease in the daily cost in A) \$54.00 Answer: B The weekly profit, in dollate P(x) = 80.00x - 0.005x ² Currently, the company profit if the A) 72.00 dollars Answer: A A company finds that whis given by P(x) = 1180 + 35x - 4x ² Currently the company sprince change in profit if the A) 1180 thousand dollare C) 630 thousand dollare C) 630 thousand dollare Answer: B The total cost, in dollars, marginal cost when x = 4. A) \$328 Answer: B The profit, in dollars, from marginal profit when x = A) \$596 Answer: C Suppose that the daily cost C(x) = 0.003x ³ + 0.1x ² + 68 and currently 60 television daily cost of increasing profit cost in creasing profit cost in creasing profit cost in creasing profit cost of increasing profit cost of in	C(x) = $1035 + 0.03x + 0.0003x^2$. Currently, the company produces 510 chocolate increase in the daily cost if one additional chocolar. A) \$54.00 B) \$0.34 Answer: B The weekly profit, in dollars, from the production $P(x) = 80.00x - 0.005x^2$ Currently, the company produces and sells 800 b the change in profit if the company produces and A) 72.00 dollars B) 80.00 dollars Answer: A A company finds that when it spends x million dollars given by $P(x) = 1180 + 35x - 4x^2$ Currently the company spends 18 million dollars the change in profit if the company increases its at A) 1180 thousand dollars C) 630 thousand dollars C) 630 thousand dollars Answer: B The total cost, in dollars, to produce x DVD play marginal cost when $x = 4$. A) \$328 B) \$238 Answer: B The profit, in dollars, from the sale of x compact of marginal profit when $x = 10$. A) \$596 B) \$590 Answer: C Suppose that the daily cost, in dollars, of producing C(x) = $0.003x^3 + 0.1x^2 + 68x + 620$, and currently 60 televisions are produced daily. It daily cost of increasing production to 63 televisions A) \$5841 B) \$6051	C(x) = $1035 + 0.03x + 0.0003x^2$. Currently, the company produces 510 chocolate bars per day. Use marginal co increase in the daily cost if one additional chocolate bar is produced per day. A) \$54.00 B) \$0.34 C) \$0.54 Answer: B The weekly profit, in dollars, from the production and sale of x bicycles is give $P(x) = 80.00x - 0.005x^2$ Currently, the company produces and sells 800 bicycles per week. Use the marthe change in profit if the company produces and sells one more bicycle per we A) 72.00 dollars B) 80.00 dollars C) 10.00 dollars Answer: A A company finds that when it spends x million dollars on advertising, its profit is given by $P(x) = 1180 + 35x - 4x^2$ Currently the company spends 18 million dollars on advertising. Use the margithe change in profit if the company increases its advertising expenditure by on A) 1180 thousand dollars B) -109 thousand dollars C) 630 thousand dollars D) 486 thousand dollars Answer: B The total cost, in dollars, to produce x DVD players is $C(x) = 130 + 6x - x^2 + 5$ marginal cost when $x = 4$. A) \$328 B) \$238 C) \$458 Answer: B The profit, in dollars, from the sale of x compact disc players is $P(x) = x^3 - 5x^2$ marginal profit when $x = 10$. A) \$596 B) \$590 C) \$204 Answer: C Suppose that the daily cost, in dollars, of producing x televisions is $C(x) = 0.003x^3 + 0.1x^2 + 68x + 620$, and currently 60 televisions are produced daily. Use C(60) and the marginal cdaily cost of increasing production to 63 televisions daily. Round to the nearest	Currently, the company produces 510 chocolate bars per day. Use marginal cost to estimate the increase in the daily cost if one additional chocolate bar is produced per day. A) \$54.00 B) \$0.34 C) \$0.54 D) \$33.60 Answer: B The weekly profit, in dollars, from the production and sale of x bicycles is given by P(x) = 80.00x - 0.005x² Currently, the company produces and sells 800 bicycles per week. Use the marginal profit to estimat the change in profit if the company produces and sells one more bicycle per week. A) 72.00 dollars B) 80.00 dollars C) 10.00 dollars D) 88.00 dollars Answer: A A company finds that when it spends x million dollars on advertising, its profit P, in thousands of dois given by P(x) = 1180 + 35x - 4x² Currently the company spends 18 million dollars on advertising. Use the marginal profit to estimate the change in profit if the company increases its advertising expenditure by one million dollars. A) 1180 thousand dollars C) 630 thousand dollars B) -109 thousand dollars C) 630 thousand dollars D) 486 thousand dollars Answer: B The total cost, in dollars, to produce x DVD players is C(x) = 130 + 6x - x² + 5x³. Find the marginal cost when x = 4. A) \$328 B) \$238 C) \$458 D) \$368 Answer: B The profit, in dollars, from the sale of x compact disc players is P(x) = x³ - 5x² + 4x + 6. Find the marginal profit when x = 10. A) \$596 B) \$590 C) \$204 D) \$210 Answer: C Suppose that the daily cost, in dollars, of producing x televisions is C(x) = 0.003x³ + 0.1x² + 68x + 620, and currently 60 televisions are produced daily. Use C(60) and the marginal cost to estimate the daily cost of increasing production to 63 televisions daily. Round to the nearest dollar. A) \$5841 B) \$6051 C) \$5045 D) \$5978

130

Answer: D

347) For the total-cost function

347)

- $C(x) = 0.01x^2 + 0.8x + 50$.
- find ΔC and C'(x) when x = 50 and $\Delta x = 1$.
 - A) $\Delta C = \$1.81$; C'(50) = \$1.00
 - C) $\Delta C = \$1.81$; C'(50) = \$1.80

- B) $\Delta C = \$1.00$; C'(50) = \$1.00
- D) $\Delta C = \$1.81$; C'(50) = \$1.30

- Answer: C
- 348) For the total-cost function

348) ____

- $C(x) = 0.01x^2 + 2.2x + 80$
- find ΔC and C'(x) when x = 100 and $\Delta x = 1$.
 - A) $\Delta C = \$4.20$; C'(100) = \$4.20
 - C) $\Delta C = \$4.21$; C'(100) = \$2.22

- B) $\Delta C = \$4.21$; C'(100) = \$4.20
- D) $\Delta C = \$4.21$; C'(100) = \$3.20

- Answer: B
- 349) For the total-cost function

349)

- $C(x) = x^3 2x^2 + 5x + 100$
- find ΔC and C'(x) when x = 50 and $\Delta x = 1$.
 - A) $\Delta C = \$7,654$; C'(50) = \$7,300
 - C) $\Delta C = \$7,454$; C'(50) = \$7,305

- B) $\Delta C = \$7,454$; C'(50) = \$2,305
- D) $\Delta C = \$7,354$; C'(50) = \$7,305

- Answer: C
- 350) For the total-cost function

350)

- $C(x) = x^3 8x^2 + 6x + 50$.
- find ΔC and C'(x) when x = 50 and $\Delta x = 1$.
 - A) $\Delta C = \$6,899$; C'(50) = \$6,706
 - C) $\Delta C = \$6,799$; C'(50) = \$6,706

- B) $\Delta C = \$6,849$; C'(50) = \$6,700
- D) $\Delta C = \$6,849$; C'(50) = \$6,706

- Answer: D
- 351) For the total-revenue function

351)

- R(x) = 3x
- find ΔR and R'(x) when x = 50 and Δx = 1.
 - A) $\Delta R = \$6.00$; R'(50) = \\$6.00
 - C) $\Delta R = \$1.50$; R'(50) = \\$1.50

- B) $\Delta R = \$3.00$; R'(50) = \\$3.00
- D) $\Delta R = \$6.00$; R'(50) = \\$3.00
- Answer: B

3E 2)	For	tha	total	-revenue	function	۱n
.) .) / /	1 ()	1111	шла	-167611116	111111111111	"

352)

$$R(x) = 5x$$

find ΔR and R'(x) when x = 7700 and Δx = 1.

- A) $\Delta R = \$10.00$; R'(7700) = \\$10.00
- B) $\Delta R = \$5.00$; R'(7700) = \\$5.00

C) $\Delta R = \$2.50$; R'(7700) = \\$2.50

D) $\Delta R = \$10.00$; R'(7700) = \\$5.00

Answer: B

353) Given the total-revenue function

353)

$$R(x) = 2x$$

and the total-cost function

$$C(x) = 0.01x^2 + 0.8x + 50$$

if P(x) is the total profit function, find ΔP and P'(x) when x = 50 and Δx = 1.

A) $\Delta P = \$0.19$; P'(50) = \$0.20

B) $\Delta P = \$0.20$; P'(50) = \$0.19

C) $\Delta P = \$1.81$; P'(50) = \$1.80

D) $\Delta P = \$0.21$; P'(50) = \$0.20

Answer: A

354) Given the total-revenue function

354)

$$R(x) = 5x$$

and the total-cost function

$$C(x) = 0.01x^2 + 2.2x + 80$$

if P(x) is the total profit function, find ΔP and P'(x) when x = 100 and Δx = 1.

A) $\Delta P = \$4.19$; P'(100) = \\$4.20

B) $\Delta P = \$1.79$; P'(100) = \$1.80

C) $\Delta P = \$0.79$; P'(100) = \$0.80

D) $\Delta P = \$5.19$; P'(100) = \\$5.20

Answer: C

355) Given the total-revenue function

355)

$$R(x) = 7600x,$$

and the total-cost function

$$C(x) = x^3 - 2x^2 + 5x + 100$$
.

if P(x) is the total profit function, find ΔP and P'(x) when x = 50 and Δx = 1.

A) $\Delta P = \$146$; P'(50) = \\$290

B) $\Delta P = \$149$; P'(50) = \$141

C) $\Delta P = \$146$; P'(50) = \$295

D) $\Delta P = \$141$; P'(50) = \$295

Answer: C

356) A supply function for a certain product is given by

356)

$$S(p) = 0.08p^3 + 2p^2 + 7p + 2$$

where S(p) is the number of items produced when the price is p dollars. Use S'(p) to estimate how n more units a producer will supply when the price changes from \$14.00 per unit to \$14.50 per unit.

A) 48

B) 55

C) 4

D) 24

Answer: B

- 357) Suppose the demand for a certain item is given by $D(p) = -4p^2 + 8p + 2$, where p represents the price of the item. Find D'(p), the rate of change of demand with respect to price.
- 357)

A)
$$D'(p) = -4p + 8$$

B)
$$D'(p) = -4p^2 + 8$$

C)
$$D'(p) = -8p + 8$$

D)
$$D'(p) = -8p^2 + 8$$

358) Suppose the demand for a certain item is given by

 $D(p) = -4p^2 + 8p + 8$

where p represents the price of the item in dollars. Currently the price of the item is \$19. Use margir demand to estimate the change in demand when the price is increased by one dollar.

A) 0

B) 8

- C) -144
- D) -136

358)

Answer: C

359) The average cost for a company to produce x thousand units of a product is given by the function

359) $A(x) = \frac{1024 + 1500x}{x}$

Use A'(x) to estimate the change in average cost if production is increased by one thousand units from the current level of 16 thousand.

- A) Average cost will decrease by \$4
- B) Average cost will increase by \$64
- C) Average cost will increase by \$4
- D) Average cost will decrease by \$64

Answer: A

360) The diameter of a circle is given by the formula $D = \frac{C}{\pi}$, where C is the circumference. The diameter

of a tree was 8 in. During the following year, the circumference increased by 2 in. Use D'(C) to estimate how much the tree's diameter increased in that year.

- A) $\frac{8}{\pi}$ in.
- B) $\frac{10}{\pi}$ in.
- C) $\frac{2}{\pi}$ in.
- D) $\frac{\pi}{2}$ in.

Answer: C

361) The volume of a sphere is given by the formula $V = \frac{4}{3}\pi r^3$ where r is the radius. A tumor is 361)

approximately spherical in shape. Use V'(r) to estimate the increase in volume of the tumor if its radius increases from 4 mm to 7 mm. Round to the nearest 100 mm³.

- A) 1900 mm³
- B) 600 mm³
- C) 100 mm³
- D) 200 mm³

Answer: B

Find Δy and $f'(x) \Delta x$ for the given function.

362) $y = f(x) = x^2$, x = 9, and $\Delta x = 0.03$ 362) A) 0.5409; 0.54 B) 0.5409; 0.27 C) 0.5409; 0.03 D) 0.27; 0.27

Answer: A

363) $y = f(x) = \sqrt{x}$, x = 2, and $\Delta x = 0.05$ 363)

A) 0.01757; 0.01768

B) 0.01757; 0.01757

C) 0.01757; 0.03536

D) 0.01768; 0.01768

Answer: A

364) $y = f(x) = x^3$, x = 3, and $\Delta x = 0.04$ 364)

A) 1.094464; 0.36 C) 1.08; 1.08

B) 1.094464: 1.08 D) 1.094464; 1.094464

Answer: D

366) $y = f(x) = x - x^2$, x = 5, and $\Delta x = 0.05$ 366) A) -0.45; -0.36 B) -0.4525; -0.45 C) -0.4525; -0.36 D) -0.4525; -0.543

Answer: B

367) $y = f(x) = x^2 - x$, x = 6, and $\Delta x = 0.05$ A) 0.5525; 0.25 B) 0.55; 0.25 C) 0.5525; 0.5525 D) 0.5525; 0.5525

Answer: D

368) $y = f(x) = \frac{1}{x^2}$, x = 2, and $\Delta x = 0.7$

A) 0.02435; -0.35 C) -0.11283; -0.175 B) -0.05796; -0.35 D) -0.11283; -0.0875

Answer: C

369) $y = f(x) = \frac{1}{x}$, x = 3, and $\Delta x = 0.6$

A) -0.05556; -0.2
B) 0.22222; -0.13333
C) 0.05556; -0.13333
D) -0.05556; -0.06667

C) 0.05556; -0.13333 Answer: D

370) y = f(x) = 2x - 1, x = 3, and $\Delta x = 3$ A) 7; 6
B) 5; 6
C) 8; 6
D) 6; 6

Answer: D

371) y = f(x) = 3x + 2, x = 9, and $\Delta x = 2$ A) 10; 10
B) 6; 6
C) 8; 6
D) 10; 6

Answer: B

Use the differential to find a decimal approximation of the radical expression. Round to four decimal places.

372) $\sqrt{48}$ 372)

A) 6.9286 B) 6.8571 C) 6.0000 D) 7.0714

Answer: A

A) 4.0038 B) 3.9925 C) 3.9963 D) 3.9700

Answer: C

374) √108 A) 10.5500 B) 10.3000 C) 10.4000 D) 10.5000

375)
$$\sqrt[3]{11}$$

A) 2.3500

B) 2.4500

C) 2.2500

D) 2.1500

375)

Answer: C

376) $\sqrt[3]{32}$

A) 3.0852

Answer: D

B) 3.3852

C) 3.2852

D) 3.1852

376) _____

Find dy.

377) $y = \sqrt{6x + 4}$

A) $3\sqrt{6x + 4} \, dx$

B) $\frac{3}{\sqrt{6x+4}}$ dx C) $\frac{1}{2\sqrt{6x+4}}$ dx D) $\frac{6}{\sqrt{6x+4}}$ dx

377)

Answer: B

378) $y = (6x^2 + 8)^{3/2}$

A) $3x\sqrt{6x^2 + 8} \, dx$

B) $\frac{3}{2}\sqrt{6x^2+8}$ dx

378)

C) $12x (6x^2 + 8)^{3/2} dx$

D) $18x\sqrt{6x^2 + 8} \, dx$

Answer: D

379) $y = x^2(9x + 4)^2$

A) 4x(9x + 4)(x + 2) dx

C) 4x(9x + 4) dx

B) 4x(9x + 2)(9x + 4) dx

D) (9x + 4)(9x + 2) dx

379) ____

Answer: B

380) $y = \sqrt[3]{x - 6}$

A) $\frac{dx}{3\sqrt[3]{x-6}}$ B) $\frac{dx}{(x-6)^{2/3}}$ C) $-\frac{(x-6)^{2/3}dx}{3}$ D) $\frac{dx}{3(x-6)^{2/3}}$

380)

381)

Answer: D

381) $y = \frac{x^2 + x + 4}{x + 5}$

A) $\frac{x^2 + 10x + 9}{(x + 5)^2} dx$ B) $\frac{x^2 + 10x + 1}{(x + 5)^2} dx$ C) (2x + 1) dx D) $\frac{x^2 + 10x + 1}{x + 5} dx$

382)
$$y = \frac{x^3 + 10x + 1}{x^2 + 2}$$

A)
$$\frac{x^4 - 4x^2 - 2x + 20}{x^2 + 2}$$
 dx B) $\frac{3x^2 + 10}{2x}$ dx

C)
$$\frac{x^4 - 4x^2 - 2x + 20}{(x^2 + 2)^2} dx$$
 D) $\frac{x(x^3 - 4x - 2)}{(x^2 + 2)^2} dx$

Answer: C

383)
$$y = 2x^4 + 2x^3 - 4x^2 + 3$$

A)
$$(4x^3 + 3x^2 - 8x) dx$$

B) $(8x^3 + 6x^2 - 2x) dx$
C) $(8x^3 + 6x^2 - 8x) dx$
D) $(2x^3 + 2x^2 - 4x) dx$

Answer: C

384)
$$y = (4 - x)^5$$

A) $5(4 - x) dx$ B) $-5(4 - x)^4 dx$ C) $5(4 - x)^4 dx$ D) $-5(4 - x) dx$

B) $-5(4 - x)^4$ dx C) $5(4 - x)^4$ dx A) 5(4 - x) dxAnswer: B

385)
$$y = (2 + 3x)^6$$

A) $6(2 + 3x)^5 dx$ B) $18(2 + 3x)^5 dx$ C) $18 x^5 dx$ D) $6(2 + 3x) dx$

D) 6(2 + 3x) dx

Answer: B

386)
$$y = \sqrt{\frac{x-1}{x+1}}$$

A)
$$\frac{dx}{\sqrt{x^2 - 1}}$$
 B) $\frac{dx}{(x + 1)\sqrt{x^2 + 1}}$

C)
$$\frac{dx}{(x+1)\sqrt{x^2-1}}$$
 D) $\frac{x-1}{2x+2}$ dx

Answer: C

Find dy for the given values of x and dx.

387)
$$y = x^3$$
, $x = 7$, $dx = 0.05$
A) 7.16 B) 1.05 C) 7.402625 D) 7.35

Answer: D

Answer: C

389)
$$y = x - x^2$$
, $x = 2$, $dx = 0.05$
A) -0.183 B) -0.15 C) -0.1525 D) -0.12

390)
$$y = \frac{1}{x}$$
, $x = 2$, $dx = 0.3$

390)

A) -0.15

B) -0.075

C) -0.06522

D) 0.1087

Answer: B

391) y = 2x - 1, x = 7, dx = 4

A) 9

B) 8

C) 10

D) 7

391) _____

Answer: B

392) $y = 5x^2 - 2x + 3$; x = 2, $dx = -\frac{1}{6}$

392) ____

A) -6

B) 3

C) -3

D) 6

Answer: C

393) $y = 2x^5 - 3x^2 + x - 1$; x = -1, $dx = \frac{1}{3}$

393)

A) $\frac{19}{3}$

B) $\frac{22}{3}$

C) $\frac{17}{3}$

D) $\frac{25}{3}$

Answer: C

394) $y = \frac{3x - 7}{x - 1}$; x = 2, dx = 0.1

394) _____

A) 4

B) 6

C) 0.6

D) 0.4

Answer: D

395) $y = \frac{x^2}{\sqrt{x^2 + 21}}$; x = 10, dx = 0.1

395)

A) $\frac{144}{1331}$

B) $\frac{148}{1331}$

C) $\frac{146}{1331}$

D) $\frac{142}{1331}$

Answer: D

396) $y = x^3 - 4x^2 + 2x + 1$; x = 8, dx = -0.3

A) 37 Answer: C

B) 39

C) -39

D) -37

396) ____

397) _____

397) q = D(x) = 500 - x

Find the elasticity.

A) $E(x) = \frac{x}{x - 500}$

B) $E(x) = \frac{1}{500 - x}$

C) E(x) = $\frac{x}{500 - x}$

D) E(x) = x(500 - x)

398)
$$q = D(x) = 800 - 4x$$

A) E(x) =
$$\frac{x}{200 - x}$$

B)
$$E(x) = \frac{x}{800 - 4x}$$

C)
$$E(x) = x(200 - x)$$

D) E(x) =
$$\frac{x}{x - 200}$$

Answer: A

399)
$$q = D(x) = \frac{1100}{x}$$

399)

400)

401)

398)

A)
$$E(x) = \frac{1100}{x}$$

B) E(x) =
$$\frac{1}{x}$$

C) E(x) =
$$\frac{x}{1100}$$

D)
$$E(x) = 1$$

Answer: D

400) q = D(x) =
$$\sqrt{200 - x}$$

A)
$$E(x) = \frac{x}{2x - 400}$$

B) E(x) =
$$\frac{x}{\sqrt{200 - x}}$$

C)
$$E(x) = \frac{1}{400 - 2x}$$

D) E(x) =
$$\frac{x}{400 - 2x}$$

Answer: D

401) q = D(x) =
$$\frac{900}{(x+7)^2}$$

B) E(x) =
$$\frac{2x}{x + 7}$$

$$A) E(x) = \frac{2}{x+7}$$

B) E(x) =
$$\frac{2x}{x+7}$$

C) E(x) =
$$\frac{1800x}{(x+7)^3}$$

D)
$$E(x) = 1800x(x + 7)$$

Answer: B

402) q = D(x) =
$$\frac{335}{(4x + 5)^2}$$

402)

A)
$$E(x) = \frac{8}{4x + 5}$$

B)
$$E(x) = \frac{8x}{4x + 5}$$

C) E(x) =
$$\frac{2x}{4x+5}$$

D)
$$E(x) = 8x(4x + 5)$$

Answer: B

For the demand function given, find the elasticity at the given price and state whether the demand is elastic, inelastic, or whether it has unit elasticity.

403)
$$q = D(x) = 800 - x$$
; $x = 83$

403)

A)
$$\frac{83}{717}$$
; elastic B) $\frac{83}{717}$; inelastic C) $\frac{1}{717}$; inelastic

B)
$$\frac{83}{717}$$
; inelastic

C)
$$\frac{1}{717}$$
; inelastic

404)
$$q = D(x) = 300 - 4x$$
; $x = 62$

A) $\frac{13}{62}$; inelastic B) $\frac{62}{13}$; elastic C) $\frac{1}{13}$; inelastic

D) 52; elastic

Answer: B

405)
$$q = D(x) = \frac{300}{x}$$
; $x = 57$

405) ____

404)

A) $\frac{19}{100}$; elastic B) $\frac{100}{19}$; inelastic C) 1; unit elasticity D) $\frac{1}{57}$; inelastic

Answer: C

406)
$$q = D(x) = \sqrt{720 - x}$$
; $x = 540$

406)

A) $\frac{3}{2}$; elastic B) 1; unit elasticity C) $\frac{3}{2}$; inelastic

D) 3; elastic

Answer: A

407)
$$q = D(x) = \frac{700}{(x+4)^2}$$
; $x = 3$

407)

A) $\frac{7}{3}$; elastic B) $\frac{6}{7}$; inelastic C) $\frac{7}{6}$; inelastic D) - 4; inelastic

Answer: B

408)
$$q = D(x) = \frac{347}{(8x + 19)^2}$$
; $x = 1$

408)

A) $\frac{2}{27}$; inelastic B) $\frac{8}{27}$; elastic C) 1; unit elasticity D) $\frac{16}{27}$; inelastic

Answer: D

For the given demand function, find the value(s) of x for which total revenue is a maximum.

$$409$$
) $x = D(x) = 800 - x$

409)

A) 1600

B) 320

C) 400

D) 800

Answer: C

410) x = D(x) = 900 - 5x

A) 360 Answer: C B) 180

C) 90

D) 144

411) $x = D(x) = \frac{1000}{x}$

411)

410)

A) 1000

B) 10

C) 2000

D) All values of x.

Answer: D

412) $x = D(x) = \sqrt{500 - x}$

412)

A) 1000

B) 250

C) $\frac{1000}{3}$

D) 500

413) $x = D(x) = \frac{400}{(x+3)^2}$

A) 6

B) 4

C) 3

D) 400

Answer: C

Solve the problem.

414) A beverage company works out a demand function for its sale of soda and finds it to be

414) ____

$$q = D(x) = 4300 - 29x$$

where q = the quantity of sodas sold when the price per can, in cents, is x. At what price is the revenue a maximum?

A) 82 cents

B) 148 cents

C) 74 cents

D) 59 cents

Answer: C

415) A beverage company works out a demand function for its sale of soda and finds it to be

415)

$$q = D(x) = 3900 - 29x$$

where q = the quantity of sodas sold when the price per can, in cents, is x. At what price, x, is the elasticity of demand inelastic?

A) For x < 134 cents

B) For x < 67 cents

C) For x > 56,550 cents

D) For x > 269 cents

Answer: B

416) A beverage company works out a demand function for its sale of soda and finds it to be

416) ____

$$q = D(x) = 3400 - 28x$$

where q = the quantity of sodas sold when the price per can, in cents, is x. At a price of 107 cents per can, will a small increase in price cause the total revenue to increase, decrease, or stay the same?

A) Increase

B) Stay the same

C) Decrease

Answer: C

417) A CD store determines the following demand function for a particular CD

417) ____

$$q = D(x) = \sqrt{340 - x^2}$$

where q = the number of CDs sold per day when the price per CD is x dollars. At what price is the revenue a maximum? Round your answer to the nearest dollar.

A) \$18

B) \$15

C) \$12

D) \$13

Answer: D

$$q = D(x) = \sqrt{410 - x^2}$$

where q = the number of CDs sold per day when the price per CD is x dollars. Find the elasticity at a price of \$12 per CD and state whether the demand is elastic or inelastic.

- A) 0.05; elastic
- B) 0.05; inelastic
- C) 0.54; inelastic
- D) 0.54; elastic

Answer: C

419) A CD store determines the following demand function for a particular CD

419)

$$q = D(x) = \sqrt{490 - x^2}$$

where q = the number of CDs sold per day when the price per CD is x dollars. At a price of \$9 per CD will a small increase in price cause the total revenue to increase, decrease, or stay the same?

- A) Stay the same
- B) Decrease

C) Increase

Answer: C

420) An electronics store determines the following demand function for phones of a particular type

420)

$$q = D(x) = \frac{3x + 320}{14x + 15}$$

where q = the number of phones sold per day when the price per phone is x dollars. Find the elasticity.

A)
$$E(x) = \frac{x}{42x^2 + 4525x + 4800}$$

B)
$$E(x) = \frac{4435x}{42x^2 + 4525x + 4800}$$

C)
$$E(x) = \frac{4525x}{42x^2 + 4480x + 4800}$$

D)
$$E(x) = \frac{4435}{42x^2 + 4480x + 4800}$$

Answer: B

421) An electronics store determines the following demand function for phones of a particular type

421)

$$q = D(x) = \frac{4x + 320}{13x + 12}$$

where q = the number of phones sold per day when the price per phone is x dollars. Find the elasticity when x = \$50 per phone.

A)
$$E(x) = 0.96$$

B)
$$E(x) = 0.44$$
 C) $E(x) = 1.54$ D) $E(x) = 0.6$

C)
$$E(x) = 1.54$$

D)
$$E(x) = 0.6$$

Answer: D

Determine whether the statement is true or false.

422) If demand is inelastic for a particular value of p, an increase in price will bring an increase in revenue.

422)

A) True

B) False

Answer: A

revenue.		_,		•
A) True		B) False		
Answer: B				
424) If E(x) < 1 for a p A) True	articular value of x, an inc	rease in price will bring a o	decrease in revenue.	424)
Answer: B				
425) If demand has u	nit elasticity for a particula	ar value of x, revenue is at a	a maximum.	425)
Answer: A				
-	•	e of x, a small increase in pr r than the percentage chan B) False	rice will cause a percentage ge in price.	426)
Answer: A		,		
427) If $q = D(x) = \frac{k}{x^n}$	and n > 1, demand is elas	tic for all values of x.		427)
A) True		B) False		
Answer: A				
428) If $q = D(x) = \frac{k}{x^n}$	and n < 1, revenue is decre	easing for all values of x.		428)
A) True		B) False		
Answer: B				
erentiate implicitly to 429) y ³ + yx ² + x ² - 3	find the slope of the curv $y^2 = 0$; (0, 3)	e at the given point.		429)
A) $-\frac{1}{2}$	В) -1	C) $\frac{3}{2}$	D) 0	•
Answer: D		2		
430) $x^2 + y^2 = 1$; (2, 3)	2)			430)
$730) \land - + y 1, (2, 3)$	'' -	2	2	430)

A) $\frac{2}{3}$

B) $\frac{5}{3}$

C) $-\frac{2}{3}$

D) $-\frac{3}{2}$

Answer: C

431) $x^3 - y^3 = 5$; (5, 9) A) $-\frac{81}{25}$ 431) B) $\frac{25}{9}$ C) $\frac{25}{81}$ D) $-\frac{25}{81}$

- 432) $y^6 + x^3 = y^2 + 11x$; (0, 1) A) $\frac{11}{4}$
- B) $\frac{11}{6}$

- C) $\frac{11}{8}$
- D) $-\frac{5}{2}$

432) _____

433) _____

Answer: A

- 433) $x^6y^6 = 64$; (2, 1) A) $-\frac{1}{4}$
- B) -32

C) 2

D) $-\frac{1}{2}$

Answer: D

- 434) $xy^3 x^5y^2 = -4$; (-1, 2) A) $-\frac{3}{4}$
- B) $-\frac{3}{2}$
- C) $\frac{2}{3}$

D) $-\frac{6}{5}$

434) _____

Answer: B

- 435) $x^2 + y^2 + 2y = 0$; (0, -2)
- B) -2

C) 2

D) 0

435)

Answer: D

- 436) $xy^2 = 12$; (3, -2)
 - A) -3

B) 3

- C) $-\frac{1}{3}$
- D) $\frac{1}{3}$

436) _____

Answer: D

- 437) $x^2 + 3y^2 = 13$; (1, 2)
 - A) $\frac{1}{6}$

B) - 6

- C) $-\frac{1}{6}$
- D) 6

437) _____

Answer: C

- 438) xy + x = 2; (1, 1)
 - A) 2

B) $\frac{1}{2}$

- C) $-\frac{1}{2}$
- D) 2

438) _____

439) ____

440)

Answer: D

Find dy/dx by implicit differentiation.

- 439) $3y^2 7x^2 = 5$
 - A) $\frac{7x}{3}$

- B) $\frac{7x^2}{6y}$
- C) $\frac{7x}{3y}$

D) $\frac{14x + 5}{6y}$

Answer: C

- 440) $xy^2 = 4$
 - A) $\frac{y}{2x}$
- B) $\frac{2y}{x}$
- C) $\frac{2x}{y}$

D) $\frac{x}{2y}$

Answer: A

441)
$$\frac{1}{3}x^3 - 4y^2 = 11$$

A)
$$\frac{x^2}{8y}$$

B)
$$\frac{8y}{x^2}$$

C)
$$\frac{x^2}{4y}$$

D)
$$\frac{8y}{x^2 + 11}$$

Answer: A

442)
$$2y - x + xy = 3$$

A) $\frac{y+1}{x+2}$

B)
$$-\frac{1-y}{x+2}$$

C)
$$\frac{1 - y}{2 + x}$$

D)
$$-\frac{1+y}{x+2}$$

Answer: C

443)
$$y^2 - xy + x^2 = 7$$

A) $\frac{2x + y}{x + 2y}$

$$B) \frac{2x - y}{x + 2y}$$

C)
$$\frac{2x - y}{x - 2y}$$

$$D) \frac{2x + y}{x - 2y}$$

Answer: C

444)
$$y^2 - x^2 = 5$$

A) -
$$\frac{x}{y}$$

B)
$$-\frac{y}{x}$$

C)
$$\frac{y}{x}$$

D)
$$\frac{x}{y}$$

Answer: D

445)
$$x^3 + y^3 = 8$$

A) $\frac{y^2}{x^2}$

B) -
$$\frac{y^2}{x^2}$$

C) -
$$\frac{x^2}{v^2}$$

D)
$$\frac{x^2}{v^2}$$

Answer: C

446)
$$-8xy + 5y - 5 = 0$$

A) $\frac{8y}{-8xy + 5}$

B)
$$\frac{8y(x + 1)}{5}$$

C)
$$\frac{8(x + y)}{5}$$

D)
$$\frac{8y}{-8x+5}$$

Answer: D

447)
$$y^3 + 4xy + 4x^3 - 8x = 0$$

A) $\frac{8 - 4y - 12x^2}{3y^2 - 4x}$

B)
$$\frac{8 + 4y - 12x^2}{3y^2 - 4x}$$

B)
$$\frac{8 + 4y - 12x^2}{3y^2 - 4x}$$
 C) $\frac{8 - 4y - 12x^2}{3y^2 + 4x}$

D)
$$\frac{8 + 4y - 12x^2}{3y^2 + 4x}$$

447) ___

Answer: C

448)
$$7x^3 - x^2y^3 = 7$$
A) $\frac{21x^2 - 2xy^3}{3xy^2}$

B)
$$\frac{21x^2 - 2xy^3}{3x^2v^2}$$

C)
$$\frac{21x^2 - 2xy^2}{3x^2y^2}$$

D)
$$\frac{21x^2 - 2xy^2}{xy^2}$$

448) _____

Answer: B

449)
$$x^3 + 3x^2y + y^3 = 8$$

A) $-\frac{x^2 + 3xy}{x^2 + y^2}$

Answer: D

B)
$$\frac{x^2 + 3xy}{x^2 + y^2}$$

$$C) \frac{x^2 + 2xy}{x^2 + y^2}$$

D)
$$-\frac{x^2 + 2xy}{x^2 + y^2}$$

449)

450)
$$xy + x + y - x^2y^2 = 0$$

A)
$$\frac{2xy^2 + y + 1}{-2x^2y - x - 1}$$
 B) $\frac{2xy^2 + y}{2x^2y - x}$

B)
$$\frac{2xy^2 + y}{2x^2y - x}$$

$$C) \frac{2xy^2 - y}{2x^2y + x}$$

D)
$$\frac{2xy^2 - y - 1}{-2x^2y + x + 1}$$

Answer: D

451)
$$x^{1/3} - y^{1/3} = 1$$

A)
$$(y/x)^{2/3}$$

B)
$$-(x/y)^{2/3}$$

C)
$$(x/y)^{2/3}$$

D)
$$-(y/x)^{2/3}$$

Answer: A

452)
$$x^{4/3} + y^{4/3} = 1$$

A)
$$(x/y)^{1/3}$$

B)
$$(y/x)^{1/3}$$

C)
$$-(x/y)1/3$$

D)
$$-(y/x)^{1/3}$$

Answer: C

453)
$$\frac{x+y}{x-y} = x^2 + y^2$$

A)
$$\frac{x(x-y)^2 - y}{x - y(x-y)^2}$$
 B) $\frac{x(x-y)^2 - y}{x + y(x-y)^2}$ C) $\frac{x(x-y)^2 + y}{x - y(x-y)^2}$

B)
$$\frac{x(x-y)^2 - y}{x + y(x-y)^2}$$

C)
$$\frac{x(x-y)^2 + y}{x-y(x-y)^2}$$

D)
$$\frac{x(x-y)^2 + y}{x + y(x-y)^2}$$

Answer: C

454)
$$y\sqrt{x+1} = 4$$

A) -
$$\frac{2y}{x+1}$$

B) -
$$\frac{y}{2(x+1)}$$

C)
$$\frac{2y}{x+1}$$

D)
$$\frac{y}{2(x+1)}$$

454) _____

450)

451)

452) ___<u>__</u>_

453)

Answer: B

For the given demand equation, differentiate implicitly to find dp/dx.

455)
$$9p^2 + x^2 = 1500$$

A)
$$\frac{dp}{dx} = \frac{-9p}{x}$$

B)
$$\frac{dp}{dx} = \frac{-9x}{p}$$

C)
$$\frac{dp}{dx} = \frac{-x}{9p}$$

D)
$$\frac{dp}{dx} = \frac{-p}{9x}$$

455) __<u>__</u>_

Answer: C

456)
$$(p + 7)(x + 5) = 25$$

A)
$$\frac{dp}{dx} = -\frac{7}{x+5}$$

B)
$$\frac{dp}{dx} = -\frac{x+5}{p+7}$$

C)
$$\frac{dp}{dx} = -\frac{p+7}{6}$$

B)
$$\frac{dp}{dx} = -\frac{x+5}{p+7}$$
 C) $\frac{dp}{dx} = -\frac{p+7}{6}$ D) $\frac{dp}{dx} = -\frac{p+7}{x+5}$

456)

Answer: D

457)
$$xp^4 = 34$$

A)
$$\frac{dp}{dx} = -\frac{4x}{p}$$

B)
$$\frac{dp}{dx} = -\frac{p}{4x}$$

C)
$$\frac{dp}{dx} = -\frac{p}{4}$$

D)
$$\frac{dp}{dx} = -\frac{1}{4xp}$$

457)

458)

Answer: B

458)
$$20p^2 - 400p + 608 = x$$

A)
$$\frac{dp}{dx} = \frac{401}{40}$$

$$C) \frac{dp}{dx} = \frac{40}{401}$$

B)
$$\frac{dp}{dx} = \frac{40p}{401}$$

D)
$$\frac{dp}{dx} = \frac{1}{40p - 400}$$

$$459) \frac{xp^2 - xp + 8}{2x - p} = 1$$

A)
$$\frac{dp}{dx} = \frac{2 + p - p^2}{2xp - x + 1}$$

B)
$$\frac{dp}{dx} = \frac{2}{2p+1}$$

C)
$$\frac{dp}{dx} = \frac{2+ p - p^2}{x - 2xp - 1}$$

D)
$$\frac{dp}{dx} = \frac{2 + p - p^2}{2xp - x}$$

Answer: A

Calculate dy/dt using the given information.

Answer: D

461)
$$x^3 + y^3 = 9$$
; $dx/dt = -3$, $x = 1$, $y = 2$
A) $-\frac{4}{3}$
B) $\frac{3}{4}$
C) $-\frac{3}{4}$
D) $\frac{4}{3}$

Answer: B

462)
$$x^{4/3} + y^{4/3} = 2$$
; $dx/dt = 6$, $x = 1$, $y = 1$
A) 6 B) $\frac{1}{6}$ C) $-\frac{1}{6}$ D) -6

Answer: D

463)
$$xy^2 = 4$$
; $dx/dt = -5$, $x = 4$, $y = 1$

A) $-\frac{8}{5}$

B) $\frac{8}{5}$

C) $-\frac{5}{8}$

D) $\frac{5}{8}$

Answer: D

464)
$$\frac{x+y}{x-y} = x^2 + y^2$$
; dx/dt = 12, x = 1, y = 0

A) $-\frac{1}{12}$
B) 12
C) $\frac{1}{12}$
D) -12

Answer: B

465)
$$y\sqrt{x+1} = 12$$
; $dx/dt = 8$, $x = 15$, $y = 3$

A) $-\frac{4}{3}$

B) $\frac{3}{4}$

C) $\frac{4}{3}$

D) $-\frac{3}{4}$

Answer: D

Solve the problem.

466) A company knows that unit cost C(x) and unit revenue R(x) from the production and sale of x units

are related by C(x) = $\frac{[R(x)]^2}{96,000}$ + 6977. Find the rate of change of revenue per unit when the cost per

unit is changing by \$9 and the revenue is \$2000.

Answer: C

467)	67) Given the revenue and cost functions $R(x) = 26x - 0.4x^2$ and $C(x) = 5x + 13$, where x is the daily production, find the rate of change of revenue with respect to time when $x = 15$ units and				467)
	$\frac{dx}{dt}$ = 8 units per day.				
	A) \$156/day	B) \$112/day	C) \$72/day	D) \$161.6/day	
	Answer: B	, ,	·	,	
468)	8) Given the revenue and cost functions $R(x) = 32x - 0.4x^2$ and $C(x) = 6x + 14$, where x is the daily production, find the rate of change of profit with respect to time when $x = 10$ units and				468)
	$\frac{dx}{dt}$ = 5 units per day.				
	A) \$126/day	B) \$120/day	C) \$90/day	D) \$122/day	
	Answer: C				
469)	A product sells by word of	mouth. The company that	produces the product has	noticed that	469)
	revenue from sales is given by $R(x) = 5\sqrt{x}$, where x is the number of units produced and sold. If the revenue keeps changing at a rate of \$400 per month, how fast is the rate of sales changing when 1900 units have been made and sold? (Round to the nearest dollar per month.) A) \$6974/month B) \$3487/month				
	C) \$174,356/month		D) \$4/month		
	Answer: A				
470)	470) Water is discharged from a pipeline at a velocity v given by $v = 1602p^{(1/2)}$, where p is the pressure (in psi). If the water pressure is changing at a rate of 0.447 psi/second, find the acceleration (dv/dt)				470)
	of the water when $p = 37 ps$	si.			
	A) 131.68 ft/sec ²	B) 48.72 ft/sec ²	C) 2177.91 ft/sec ²	D) 58.86 ft/sec ²	
	Answer: D				
471)	Water is falling on a surface	e, wetting a circular area tl	nat is expanding at a rate o	of 9 mm ² /sec. How	471)
	fast is the radius of the wett to four decimal places.)	ted area expanding when t	the radius is 159 mm? (Ro	und approximations	
	A) 111.0028 mm/sec		B) 0.0566 mm/sec		
	C) 0.0090 mm/sec Answer: C		D) 0.0180 mm/sec		
	Aliswel. C				
472)	A piece of land is shaped li				472)
	and walk at the same speed along different legs of the triangle while spraying the land. If the area covered is changing at 2 m ² /sec, how fast are the people moving when they are 4 m from the right angle? (Round				
	approximations to two deci A) 0.25 m/sec	imai piaces.) B) 1.00 m/sec	C) 8.00 m/sec	D) 0.50 m/sec	
	Answer: D			•	
473)	One airplane is approaching	= -			473)
	from the east at 164 km/hr. Find the rate at which the distance between the planes changes when the southbound plane is 27 km away from the airport and the westbound plane is 24 km from the				
	airport. A) 1262 km/hr	B) 358 km/hr	C) 1441 km/hr	D) 102 km/hr	

474) A man 6 ft tall walks at a rate of 5 ft/sec away from a lamppost that is 22 ft high. At what rate is the length of his shadow changing when he is 40 ft away from the lamppost?				474)
A) $\frac{15}{8}$ ft/sec	B) $\frac{100}{3}$ ft/sec	C) $\frac{15}{14}$ ft/sec	D) $\frac{15}{28}$ ft/sec	
Answer: A				
475) A zoom lens in a camera n	nakes a rectangular image	on the film that is 9 cm ler	ngth by 8 cm width.	475)
image begins to change (d	As the lens zooms in and out, the size of the image changes. Find the rate at which the area of the image begins to change (dA/df) if the length of the frame changes at 0.8 cm/sec and the width of the frame changes at 0.4 cm/sec.			
A) 10.4 cm ² /sec	B) 1.25 cm ² /sec	C) $\frac{9}{8}$ cm ² /sec	D) 10 cm ² /sec	
Answer: D				
476) A heart attack victim is giv				476)
receiving the dilator, the ra According to Poiseulle's la				
vessel are related by the fo				
increase in the blood flow		2 001.0101.11.	o por corruge rate or	
A) 18%/min	B) 9%/min	C) 12%/min	D) 15%/min	
Answer: C				
477) A metal cube dissolves in acid such that an edge of the cube decreases by 0.48 mm/min. How fast is the volume of the cube changing when the edge is 7.4 mm?				477)
A) -26 mm ³ /min	B) -79 mm ³ /min	C) -195 mm ³ /min	D) -342 mm ³ /min	
Answer: B				
478) The radius of a right circul	478) The radius of a right circular cylinder is increasing at the rate of 4 in./s, while the height is			
_	decreasing at the rate of 2 in./s. At what rate is the volume of the cylinder changing when the radius is 18 in. and the height is 11 in.?			
A) 144 in. ³ /s	B) 144π in $3/s$	C) -52 in. ³ /s	D) $936\pi \text{ in.}^{3}/\text{s}$	
Answer: D	,	,	·	
479) Electrical systems are gove	orned by Ohm's law, which	a states the		479)
V = IR, where $V = voltage$,	•		ectrical system is	4/7)
decreasing at a rate of 5 A/	decreasing at a rate of 5 A/s while the voltage remains constant at 26 V, at what rate is the resistance increasing when the current is 48 A?			
A) $\frac{65}{24}$ ohms/s	B) $\frac{24}{65}$ ohms/s	C) $\frac{325}{24}$ ohms/s	D) $\frac{65}{1152}$ ohms/s	
Answer: D				
480) A spherical balloon is inflated with helium at a rate of 110π ft ³ /min. How fast is the balloon's				
radius increasing when the A) 9.17 ft/min	e radius is 3 ft? B) 3.06 ft/min	C) 4.58 ft/min	D) 1.02 ft/min	

481)	A man flies a kite at a height of 50 m. The wind carries the kite horizontally away from him at a rate of 7 m/sec. How fast is the distance between the man and the kite changing when the kite is 130 m				481)
		distance between the r	man and the kite changing	when the kite is 130 m	
	away from him?	D) 7 / /	C) / F /	D) 7/	
	A) 50.5 m/sec	B) 7.6 m/sec	C) 6.5 m/sec	D) 7 m/sec	
	Answer: C				
482)	2) A rectangular swimming pool 18 m by 10 m is being filled at the rate of 0.6 m ³ /min. How fast is the height h of the water rising?				
	A) 0.84 m/min	B) 0.20 m/min	C) 0.0033 m/min	D) 108 m/min	
	Answer: C				
483)	3) A container is the shape of an inverted right circular cone has a radius of 5.00 inches at the top and a height of 7.00 inches. At the instant when the water in the container is 6.00 inches deep, the surface level is falling at the rate of -1.60 in./s. Find the rate at which water is being drained.				483)
	A) -92.3 in. ³ /s	B) -117 in. ³ /s	C) -88.2 in. ³ /s	D) -93.3 in. ³ s	
	Answer: A	•	•	,	
484)	4) A ladder is slipping down a vertical wall. If the ladder is 20 ft long and the top of it is slipping at the constant rate of 5 ft/s, how fast is the bottom of the ladder moving along the ground when the bottom is 16 ft from the wall?				484)
	A) 0.8 ft/s	B) 3.8 ft/s	C) 6.3 ft/s	D) 0.31 ft/s	
	Answer: B	·	·	·	
485)	The volume of a sphere is	increasing at a rate of 6	cm ³ /sec. Find the rate of c	change of its surface	485)
	area when its volume is $\frac{32\pi}{3}$ cm ³ . (Do not round your answer.)				,
	A) $\frac{8}{3}$ cm ² /sec	B) 4 cm ² /sec	C) 6 cm ² /sec	D) 12π cm ² /sec	
	Answer: C				
486)	A storage tank used to hold sand is leaking. The sand forms a conical pile whose height is twice the				
	radius of the base. The radius of the pile increases at the rate of 3 inches per minute. Find the rate of change of volume when the radius is 4 inches.				
	A) 24π in. 3 /min	B) 48π in. 3 /min	C) 96π in. 3 /min	D) 192π in. 3 /min	
	Answer: C				

Differentiate implicitly to find d^2y/dx^2 .

487)
$$x + xy + y = 2$$

A) $\frac{y+1}{(x+1)^2}$ B) $\frac{2y+2}{(x+1)^2}$ C) $\frac{y-2}{(x+1)^2}$ D) $\frac{2y-2}{(x+1)^2}$

Answer: B

488)
$$2y - x + xy = 8$$

A) $\frac{y+1}{(2+x)^2}$
B) $\frac{2y+2}{(2+x)^2}$
C) $\frac{2y-2}{(2+x)^2}$
D) $\frac{y-2}{(2+x)^2}$

Answer: C

489)
$$y^2 + xy + x^2 = 8$$

A) $\frac{36}{(x + 2y)^3}$

B)
$$\frac{36}{(x-2y)^3}$$

C)
$$-\frac{36}{(x-2y)^3}$$

D) -
$$\frac{36}{(x + 2y)^3}$$

489)

490)

491)

492)

Answer: D

490)
$$y^2 - x^2 = 3$$

A) $\frac{y^2 - x^2}{y^3}$

B) $\frac{y^2 - x^2}{v^2}$

C) $\frac{y - x^2}{v^2}$

D) $\frac{y - x^2}{v^3}$

Answer: A

491)
$$x^2 - y^3 = 4$$

A) $\frac{6y^3 - 8x^2}{9y^5}$

B) $\frac{5y^3 - 8x^2}{9y^5}$

C) $\frac{6y^3 - 8x^2}{9y^3}$

D) $\frac{6y^3 - 8x^2}{9y^6}$

Answer: A

492)
$$x^3 + y^3 = 8$$
A) $\frac{xy^3 - x^4}{y^6}$

B) $-\frac{2xy^3 + 2x^4}{\sqrt{5}}$ C) $-\frac{2xy^3 + 2x^4}{\sqrt{6}}$ D) $\frac{2xy^3 - 2x^4}{\sqrt{5}}$

Answer: B

Provide an appropriate response.

- 493) Of all numbers whose sum is 20, find the two that have the maximum product. Is there a minimum 493) product? Explain.
 - A) 0 and 10; There is not a minimum product since the function that represents the product has just one critical point, and that critical point is a maximum. The domain is the real line, and on either side of the maximum the function decreases without bound.
 - B) 0 and 10; The minimum product is 0.
 - C) 10 and 10; There is not a minimum product since the function that represents the product has just one critical point, and that critical point is a maximum. The domain is the real line, and on either side of the maximum the function decreases without bound.
 - D) 10 and 10; The minimum product is 0.

Answer: C

- 494) Of all numbers whose difference is 8, find the two that have the minimum product. Is there a 494) maximum product? Explain.
 - A) 4 and -4; The maximum product is 48.
 - B) 4 and -4; There is not a maximum product since the function that represents the product has just one critical point, and that critical point is a minimum. The domain is the real line, and on either side of the minimum the function increases without bound.
 - C) 4 and 12; There is not a maximum product since the function that represents the product has just one critical point, and that critical point is a minimum. The domain is the real line, and on either side of the minimum the function increases without bound.
 - D) 4 and 12; The maximum product is 48.

495) Given that A(x) = C(x)/x, where A(x) is the average-cost function and C(x) is the total-cost 495) function, find an expression for A'(x) and solve the equation A'(x) = 0 to find the minimum average

A) A'(x) =
$$\frac{xC'(x) - C(x)}{x^2} = 0 \Rightarrow xC'(x) - C(x) = 0 \Rightarrow \frac{C(x)}{x} = A(x) = C'(x)$$

B)
$$A'(x) = \frac{xC(x) - C'(x)}{x^2} = 0 \Rightarrow xC(x) - C'(x) = 0 \Rightarrow \frac{C'(x)}{x} = A(x) = C(x)$$

C)
$$A'(x) = \frac{xC'(x) - C(x)}{x^2} = 0 \implies xC(x) - C'(x) = 0 \implies \frac{C'(x)}{x} = A(x) = \frac{C(x)}{x^2}$$

D) A'(x) =
$$\frac{xC(x) - C'(x)}{x^2} = 0 \Rightarrow xC(x) - C'(x) = 0 \Rightarrow \frac{C(x)}{x} = A(x) = \frac{C'(x)}{x^2}$$

Answer: A

- 496) Why is dy not generally equal to Δy ?
 - 496) A) Because dy is the change in f(x) over an interval x to $x + \Delta x$, whereas, over the same interval, Δy is the rise of the line tangent to f(x) at x = x.
 - B) Because Δy is the slope of f(x) at x + Δx , whereas, dy is the slope of the line tangent to f(x) at x
 - C) Because Δy is the slope of f(x) at $x + \Delta x$, whereas, dy is the slope of f(x) at $x + \Delta x$.
 - D) Because Δy is the change in f(x) over an interval x to x + Δx , whereas, over the same interval, dy is the rise of the line tangent to f(x) at x = x.

Answer: D

497) When is dy equal to Δy for all Δx ?

497) _

A) Never

B) Always

C) When f(x) is a linear function

D) When ∆x is small

Answer: C

- 498) For a nonlinear function, dy is not equal to Δy , but dx is equal to Δx . When can one assume that 498) dy/dx is about equal to $\Delta y/\Delta x$?
 - A) Always

B) When Δx is very close to zero

C) When Δx is very close to Δy

D) Never

Answer: B

499) Compare and contrast the meaning of dy/dx versus the meaning of $\Delta y/\Delta x$.

499)

- A) dy/dx is the instantaneous rate of change of y with respect to x at a point on the curve y = f(x)at the beginning of an interval x to x + Δx , whereas $\Delta y/\Delta x$ is the instantaneous rate of change of y at the end of the interval x to $x + \Delta x$.
- B) dy/dx is the instantaneous rate of change of y with respect to x, expressed as a function of x, whereas $\Delta y/\Delta x$ is the average rate of change of y over a specific interval x to x + Δx .
- C) $\Delta y/\Delta x$ is the instantaneous rate of change of y with respect to x, expressed as a function of x, whereas dy/dx is the average rate of change of y over a specific interval x to x + dx.
- D) dy/dx is the derivative of y with respect to x, whereas $\Delta y/\Delta x$ is the derivative of Δy with respect to Δx .

500) When an equation in x and y	is differentiated implicitly to find	d dy/dx, any term in the ed	quation
that involves y will generate	the factor dy/dx. Why?		

500)

- A) Because of the Quotient Rule
- B) Because the purpose of implicit differentiation is to find dy/dx.
- C) Because of the Reduced-Power Rule
- D) Because of the Chain Rule

Answer: D

501) Explain the idea of a related rate.

501)

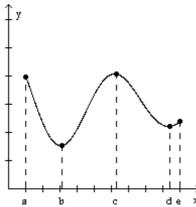
- A) A function x = f(t) is a function of t, but x can generally be related to y if y is also a function of t; that is, $dx/dt \approx dx/dy$.
- B) A function y = f(x) is a function of x, but if x can be expressed as a function of some other variable, such as time, t, then y is also a function of t, and the dependence of y on t is related to the dependence of x on t, which means, in turn, that the rate of change of y, dy/dt, is related to the rate of change of x, dx/dt, by the relation $\frac{dy}{dt} = \frac{dy}{dx} \cdot \frac{dx}{dt}$.
- C) A function y = f(t) is a function of t, but y can generally be related to x if x is also a function of t; that is, $dy/dt \approx dx/dt$.
- D) A function y = f(x) is a function of x, but if x can be expressed as a function of some other variable, such as time, t, then y is also a function of t, and the dependence of y on t is related to the dependence of x on t, which means, in turn, that the rate of change of y, dy/dt, is related to the rate of change of x, dx/dt, by the relation $\frac{dy}{dt} = \frac{dx}{dy} \cdot \frac{dt}{dx}$.

Answer: B

502) When is it advantageous to use implicit differentiation to find an expression for dy/dx?

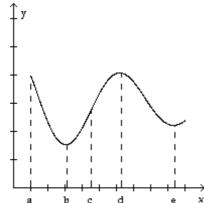
502)

- A) When the relationship between x and y is not given in the implicit form f(x,y) = 0, and it is difficult to put the equation in this form.
- B) When the relationship between x and y can be expressed in the explicit form y = f(x), and it is difficult to express it any other way.
- C) When the relationship between x and y can be expressed in the implicit form y = f(x), and it is difficult to express it any other way.
- D) When the relationship between x and y is not given in the explicit form y = f(x), and it is difficult to put the equation in this form.



Using the graph and the intervals noted, explain how the first derivative of the depicted function in whether the function is increasing or decreasing.

- A) The first derivative is positive on the intervals (a, b) and (c, d), which indicates that the function is increasing on these intervals. The first derivative is negative on the intervals (b, c) and (d, e), which indicates that the function is decreasing on these intervals.
- B) The first derivative is negative on the intervals (a, b) and (c, d), which indicates that the function is increasing on these intervals. The first derivative is positive on the intervals (b, c) and (d, e), which indicates that the function is decreasing on these intervals.
- C) The first derivative is positive on the intervals (a, b) and (c, d), which indicates that the function is decreasing on these intervals. The first derivative is negative on the intervals (b, c) and (d, e), which indicates that the function is increasing on these intervals.
- D) The first derivative is negative on the intervals (a, b) and (c, d), which indicates that the function is decreasing on these intervals. The first derivative is positive on the intervals (b, c) and (d, e), which indicates that the function is increasing on these intervals.



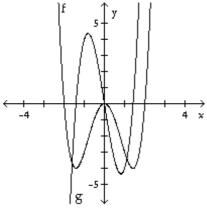
Determine which points on the graph are critical points and describe why each of the points is a criti point.

- A) Since the point at x = a is the only one for which the first derivative does not exist, this is the only critical point.
- B) The points on the function at x = a, b, d, and e are critical points, because at x = a the first derivative does not exist and at x = b, d, and e the derivative is zero.
- C) The only critical points are those at x = b, d, and e, because the derivative is zero only at these points.
- D) The points on the function at x = a, b, d, and e are critical points, because the derivative is zero at each of these points.

Answer: B

505) Determine which function is the derivative of the other.

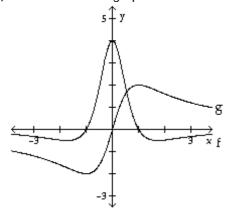
505)



A) f = g'

B) g = f'





A) f' = g

B) q' = f

B) No

Answer: A

507) Can a horizontal asymptote intersect the graph of a function?

507)

A) Yes

Answer: A

508) What is an oblique asymptote? How can one identify functions that have oblique asymptotes? Can a graph cross an oblique asymptote?

508)

- A) An oblique asymptote is the same thing as a horizontal asymptote. Oblique asymptotes occur in rational functions when the degree of the numerator is less than or equal to the degree of the denominator. A graph can cross an oblique asymptote.
- B) An oblique asymptote is a nonhorizontal, nonvertical boundary that a function might approach increasingly closely, but never reach over some extended interval. Oblique asymptotes occur in rational functions when the degree of the numerator is less than or equal to the degree of the denominator. A graph can cross an oblique asymptote.
- C) An oblique asymptote is a nonhorizontal, nonvertical boundary that a function might approach increasingly closely, but never reach over some extended interval. Oblique asymptotes occur in rational functions when the degree of the numerator is exactly one more than the degree of the denominator. A graph can cross an oblique asymptote.
- D) An oblique asymptote is a nonhorizontal, nonvertical boundary that a function might approach increasingly closely, but never reach over some extended interval. Oblique asymptotes occur in rational functions when the degree of the numerator is equal to the degree of the denominator. A graph cannot cross an oblique asymptote.

Answer: C

509) Find all of the asymptotes of the function

509)

$$f(x) = \frac{x^2 - 3}{x - 4}.$$

- A) Vertical asymptote: x = -4, oblique asymptote: y = x
- B) Vertical asymptote: x = 4, oblique asymptote: y = x
- C) Vertical asymptote: x = -4, oblique asymptote: y = x + 4
- D) Vertical asymptote: x = 4, oblique asymptote: y = x + 4

 510) Suppose a student finds that a function has exactly one critical point, determines that the point locates a maximum, and immediately concludes that the function has no minimum. What can you say about the x-interval considered by the student? A) The interval must be the real line. B) The interval is not closed, does not have endpoints, or does not contain its endpoints. C) The interval is closed. D) The endpoints of the interval yield values for the function that are larger than the value at the critical point. 	510)
Answer: B	
 511) Compare the behavior of the first derivative of a function around a point of inflection with its behavior around a maximum or minimum. A) The first derivative changes sign as x is followed from one side of a maximum or minimum to the other, but the first derivative maintains the same sign as x is followed from one side of a point of inflection to the other. B) The first derivative maintains the same sign as x is followed from one side of a maximum or 	511)
minimum to the other, but the first derivative changes sign as x is followed from one side of a point of inflection to the other.	
C) The first derivative changes sign as x is followed from one side of a maximum, minimum, or point of inflection to the other.	
D) The first derivative maintains the same sign as x is followed from one side of a maximum, minimum, or point of inflection to the other	

Answer: A

- 512) Compare the behavior of the second derivative of a function around a point of inflection with its behavior around a maximum or minimum.
 - A) The second derivative changes sign as x is followed from one side of a maximum, minimum, or point of inflection to the other.

512)

- B) The second derivative changes sign as x is followed from one side of a maximum or minimum to the other, but the second derivative maintains the same sign as x is followed from one side of a point of inflection to the other.
- C) The second derivative maintains the same sign as x is followed from one side of a maximum, minimum, or point of inflection to the other.
- D) The second derivative maintains the same sign as x is followed from one side of a maximum or minimum to the other, but the second derivative changes sign as x is followed from one side of a point of inflection to the other.